

Revisiting the helium abundance from multiple MSs in Globular Clusters

Luca Casagrande

Max Planck Institute
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Laura Portinari
Tuorla Observatory

Revisiting the helium abundance from multiple MSs in Globular Clusters ?

Insights from nearby stars

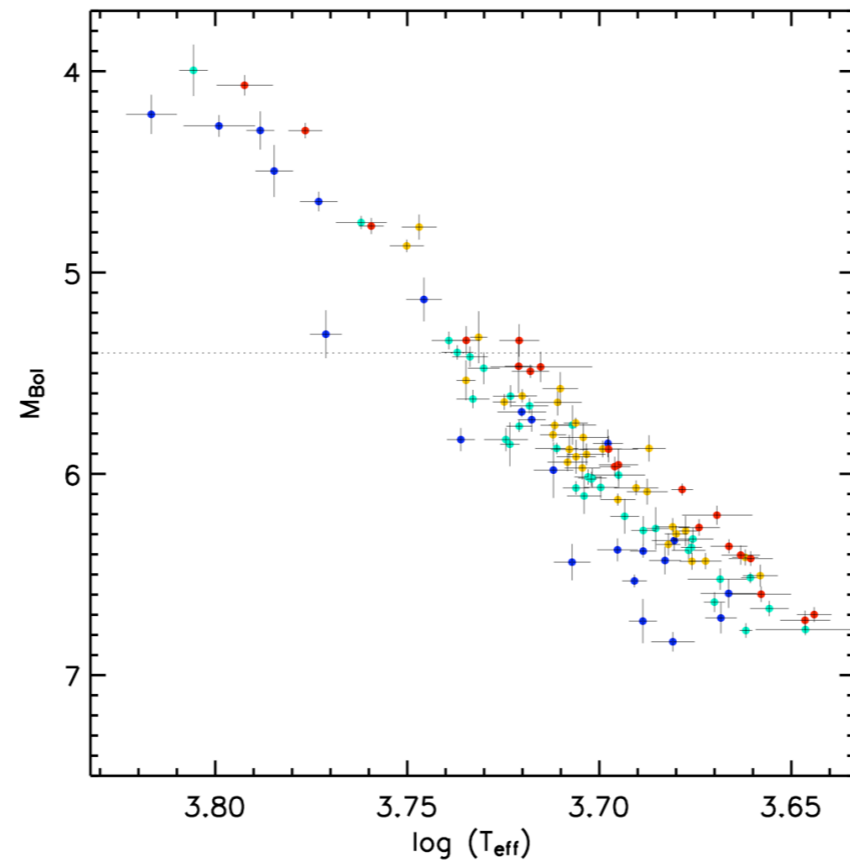
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✓ Fundamental stellar parameters (T_{eff} , F_{bol}) :
empirical / reliable determination (IRFM)



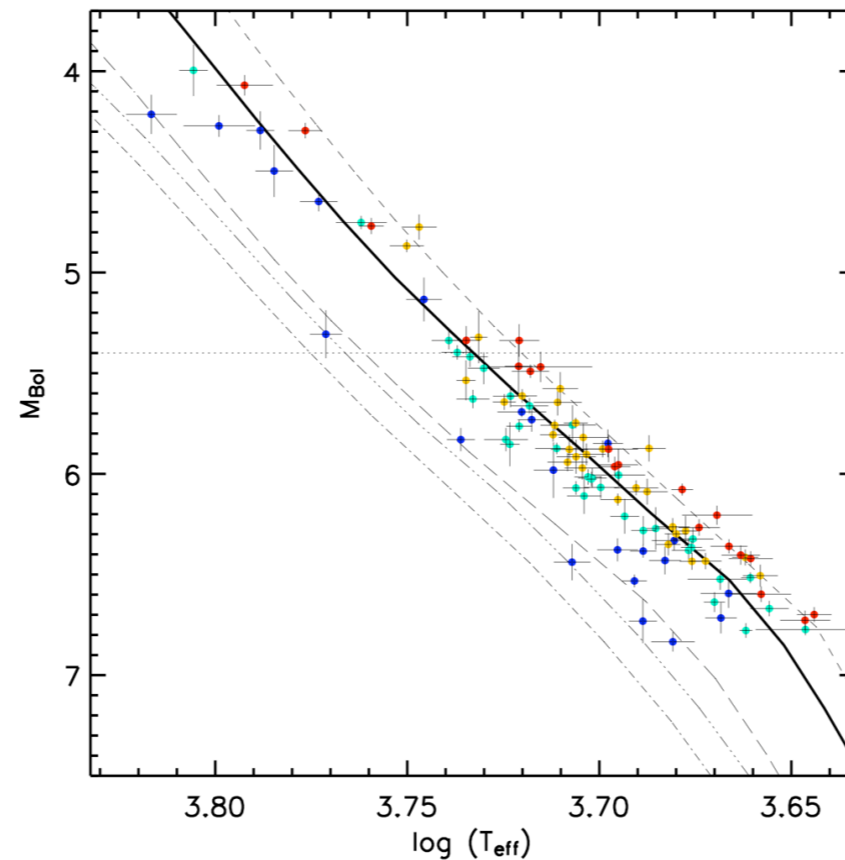
- L. Casagrande; I. Ramírez;
M. Asplund (MPA)
- J. Meléndez (CAUP)
- M. Bessell (ANU)

✓ Comparison with stellar models (directly T_{eff} - F_{bol} plane) :
pitfalls

✓ Implication for multiple MSs in Globular Clusters :
downward revision of Y ?

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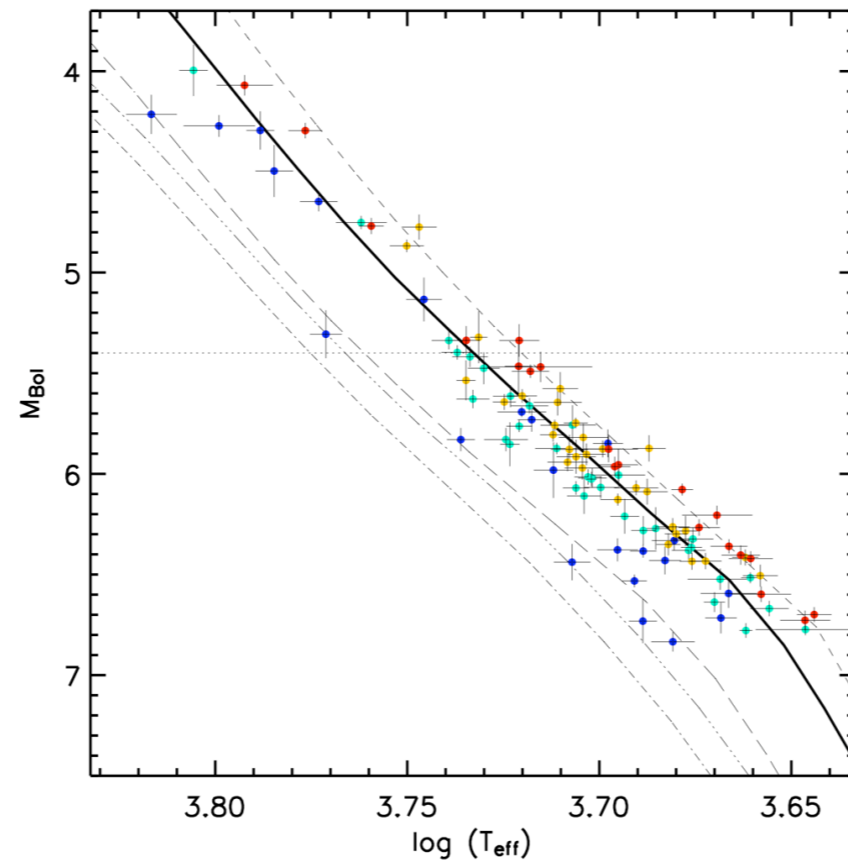
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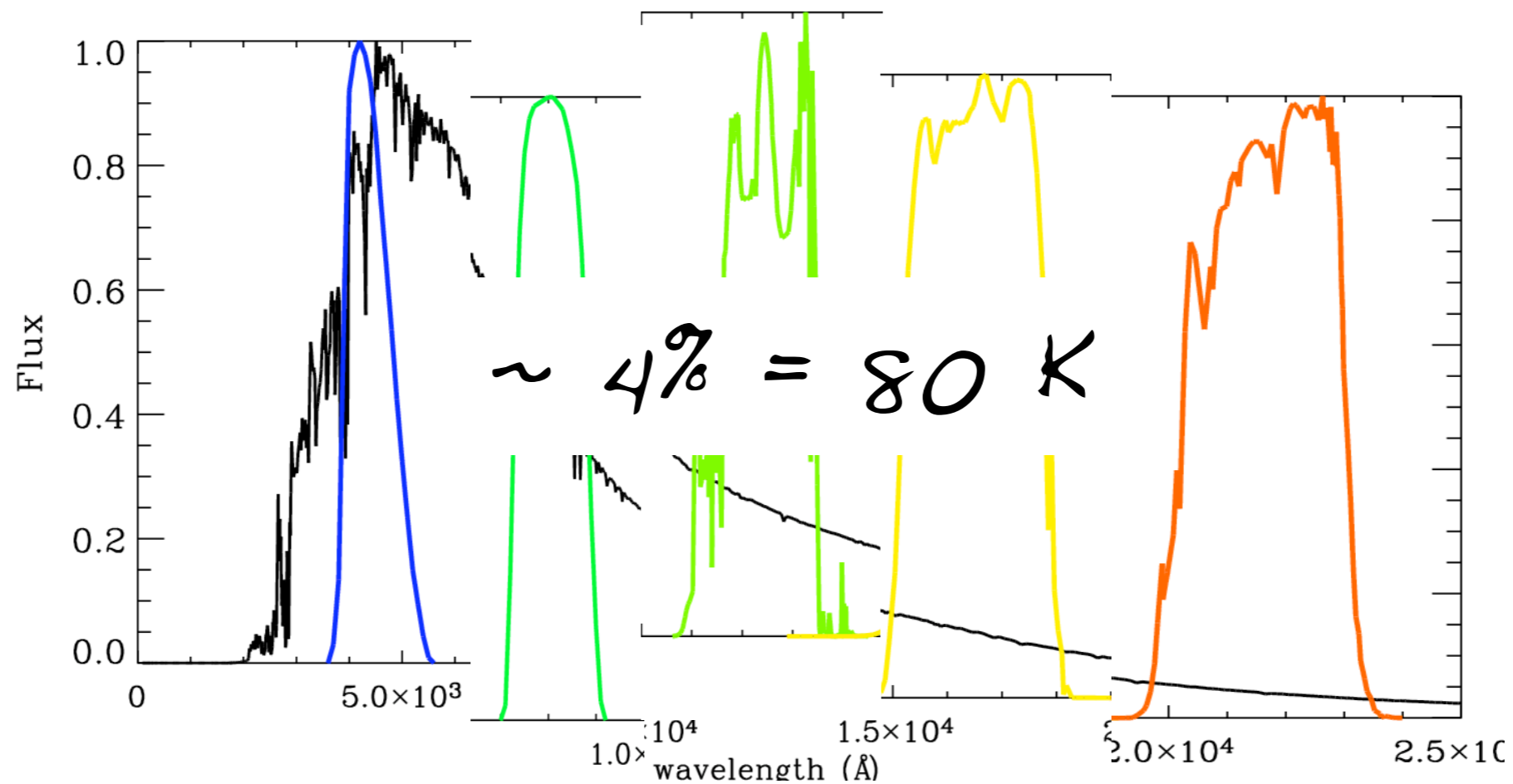
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InfraRed Flux Method

Blackwell et al. (1977,1978,1979)

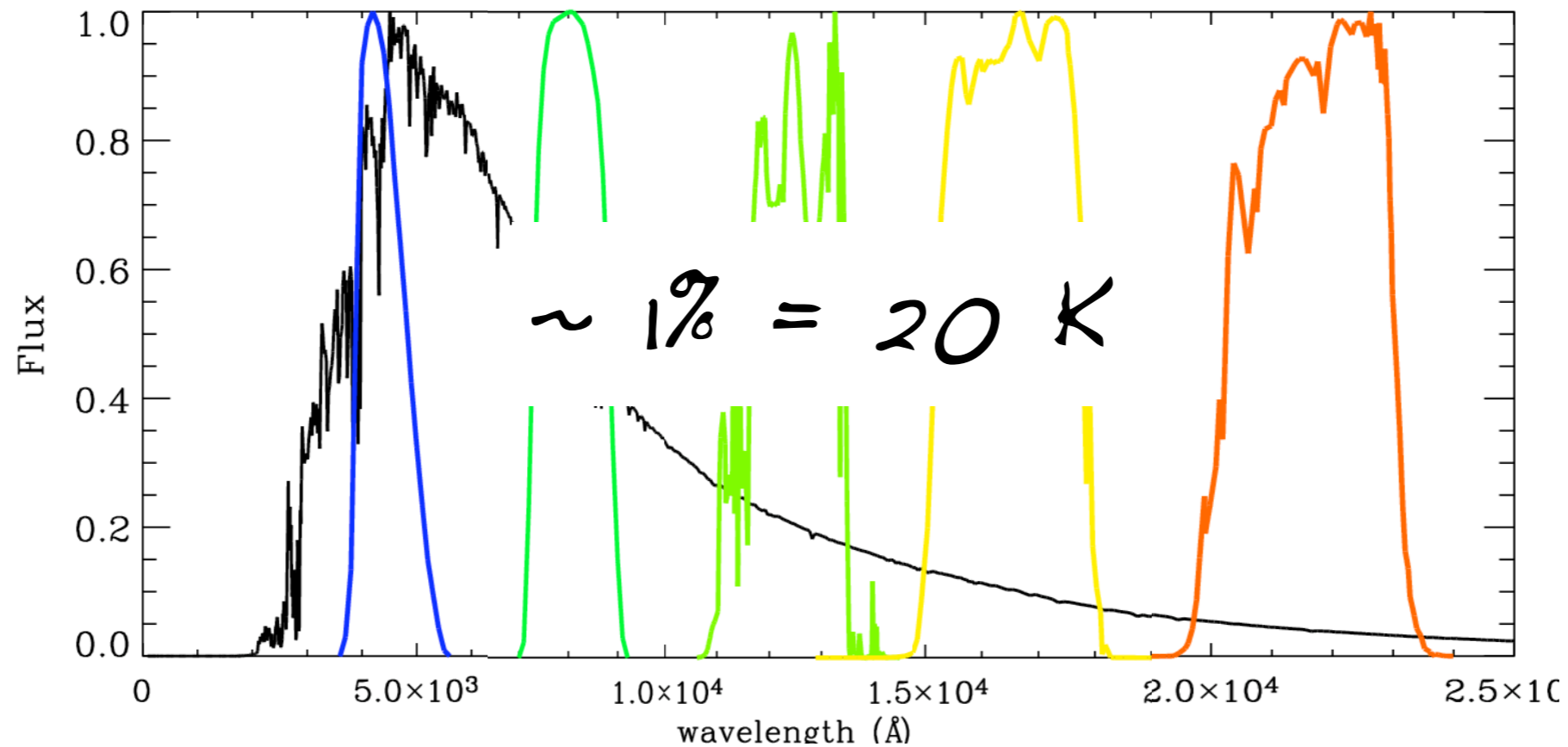
$$\frac{\mathcal{F}_{Bol}(\text{Earth})}{\mathcal{F}_{IR}(\text{Earth})} = \frac{\sigma T_{\text{eff}}^4}{\mathcal{F}_{IR}(\text{model})}$$



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Casagrande, Portinari & Flynn (2006)

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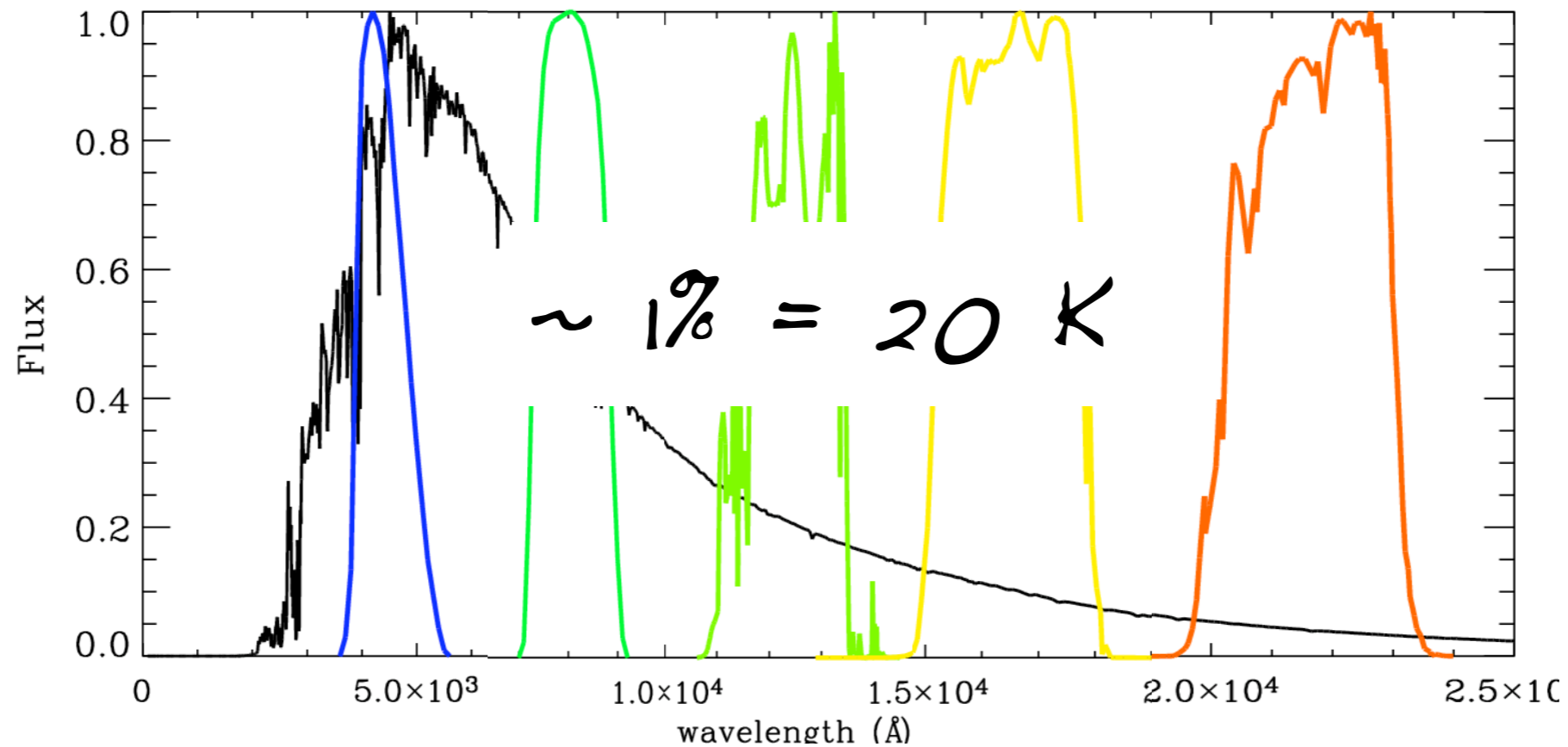


- ✓ HST absolute flux (Bohlin 2007)
- ✓ Solar Twins (Meléndez et al. 2009)

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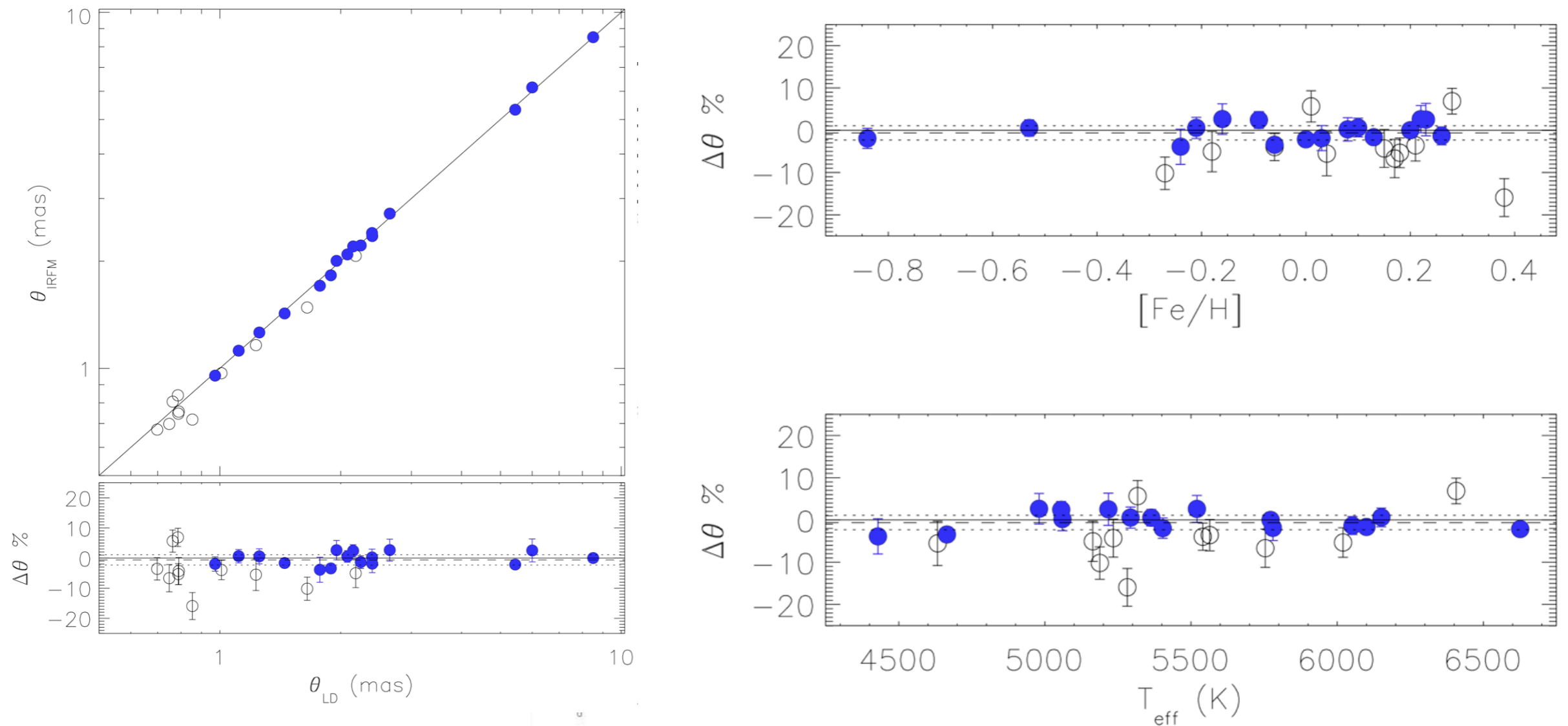
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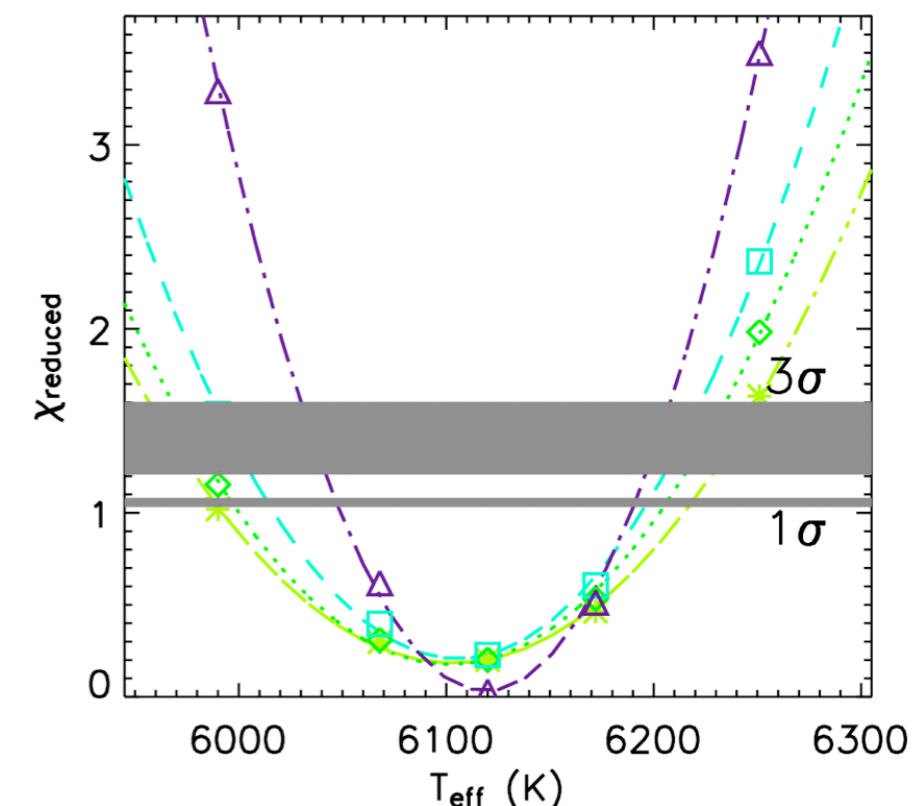
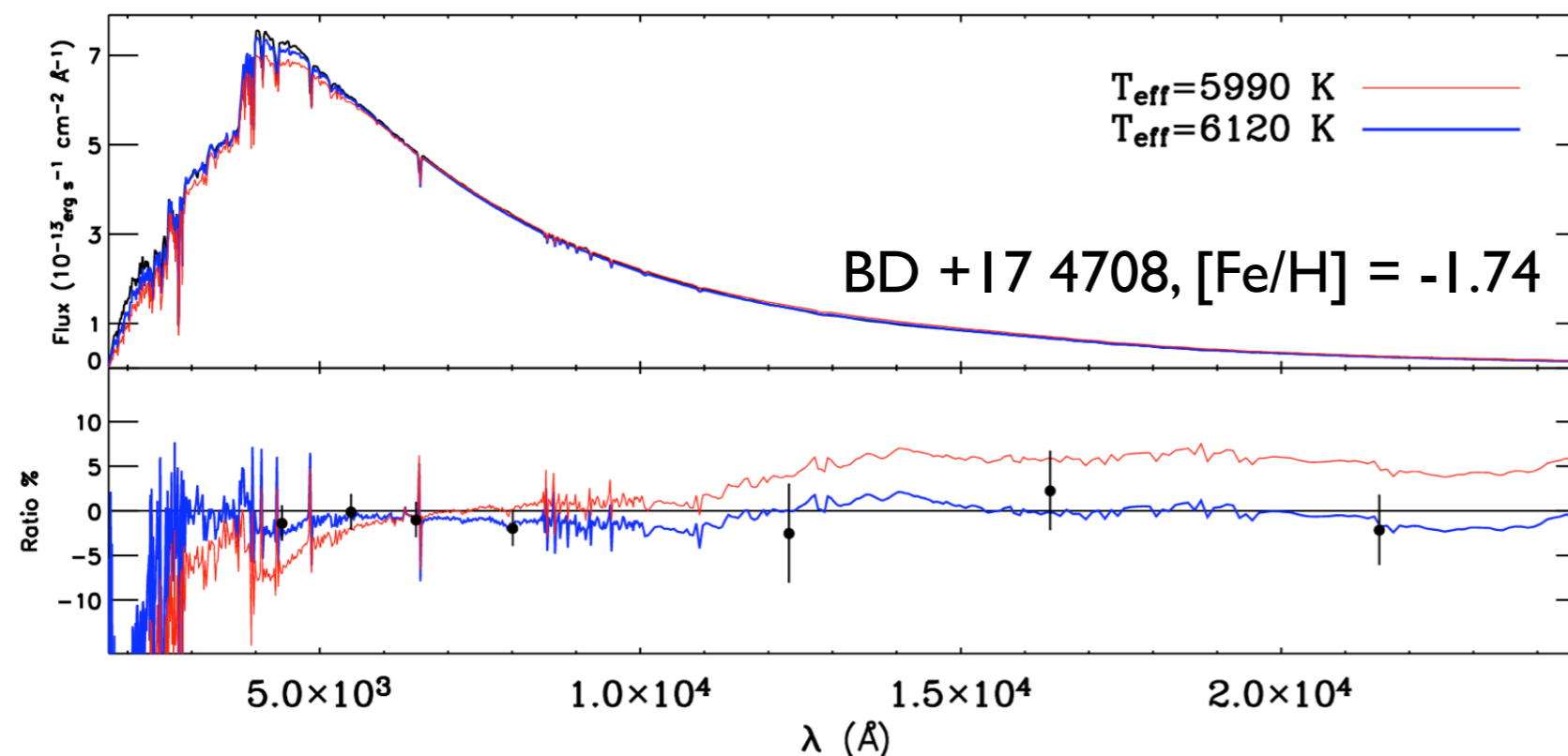
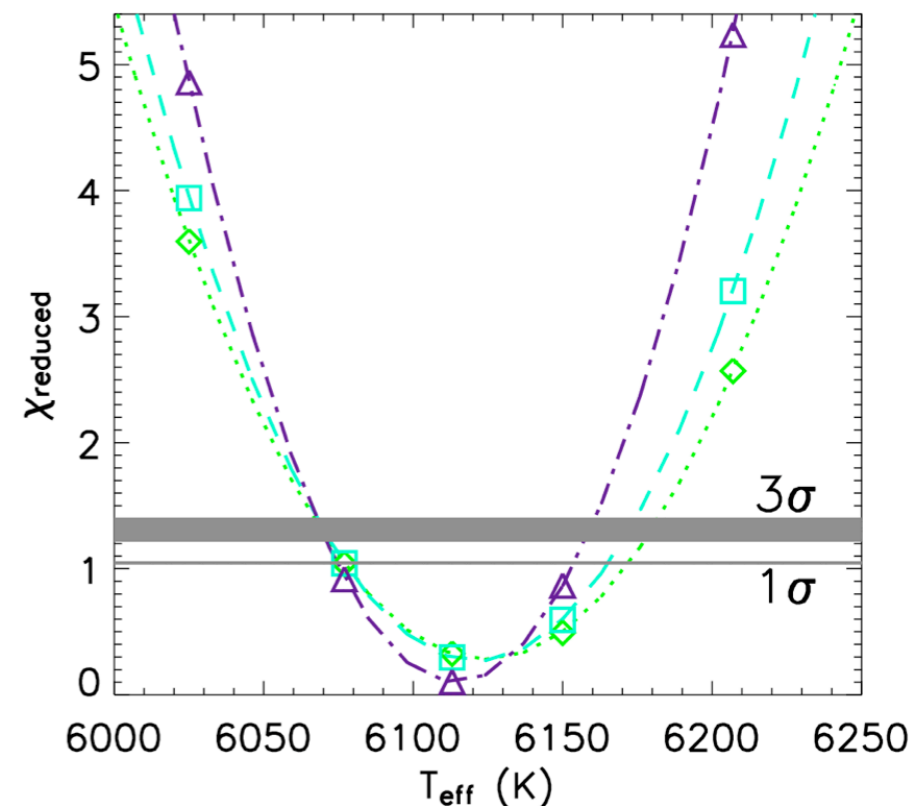
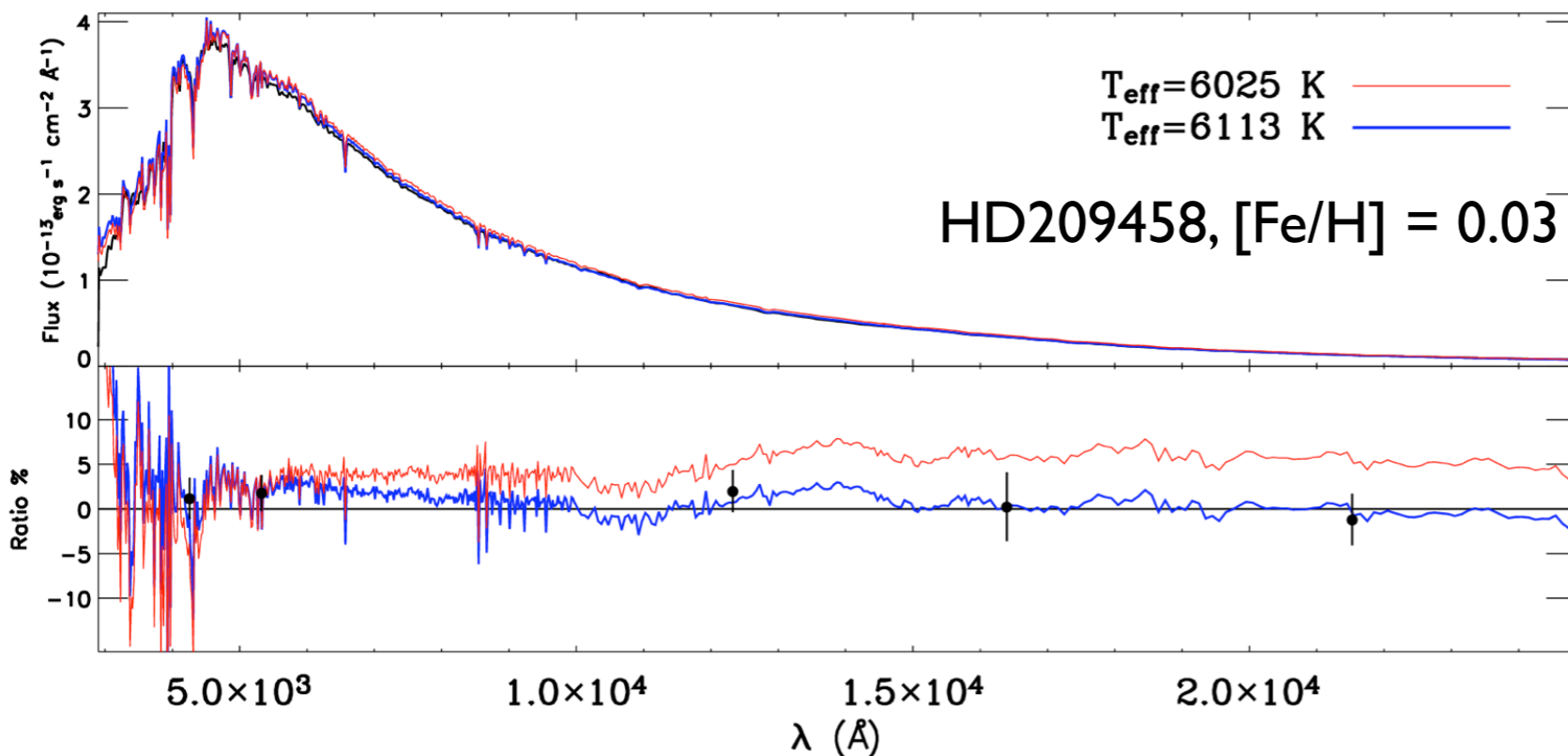
Absolutely calibrated T_{eff} scale



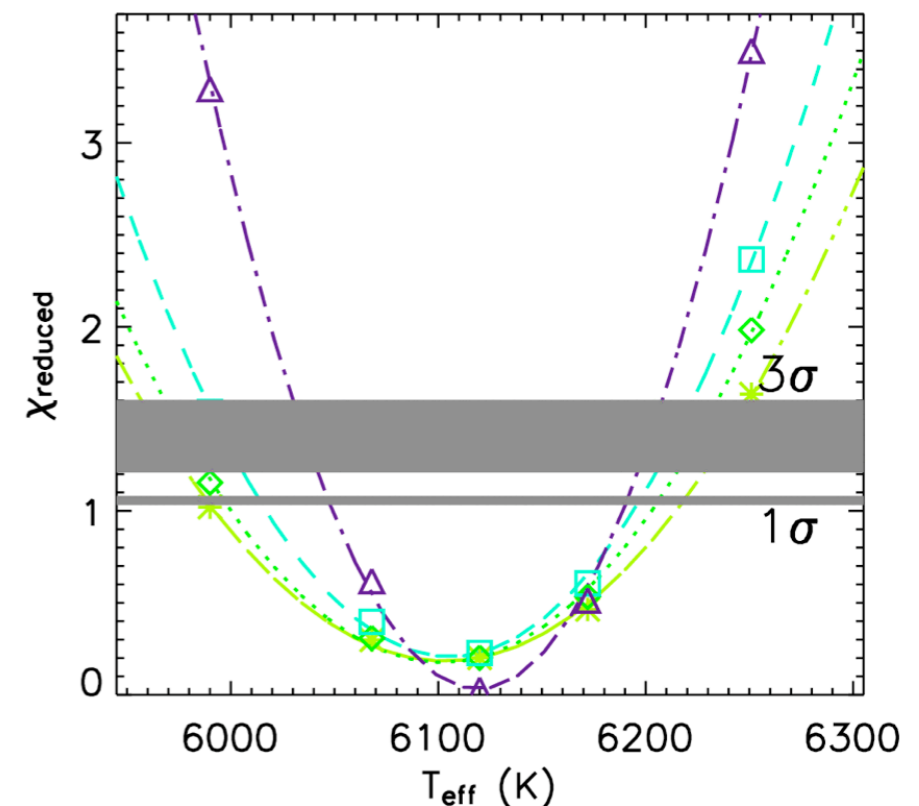
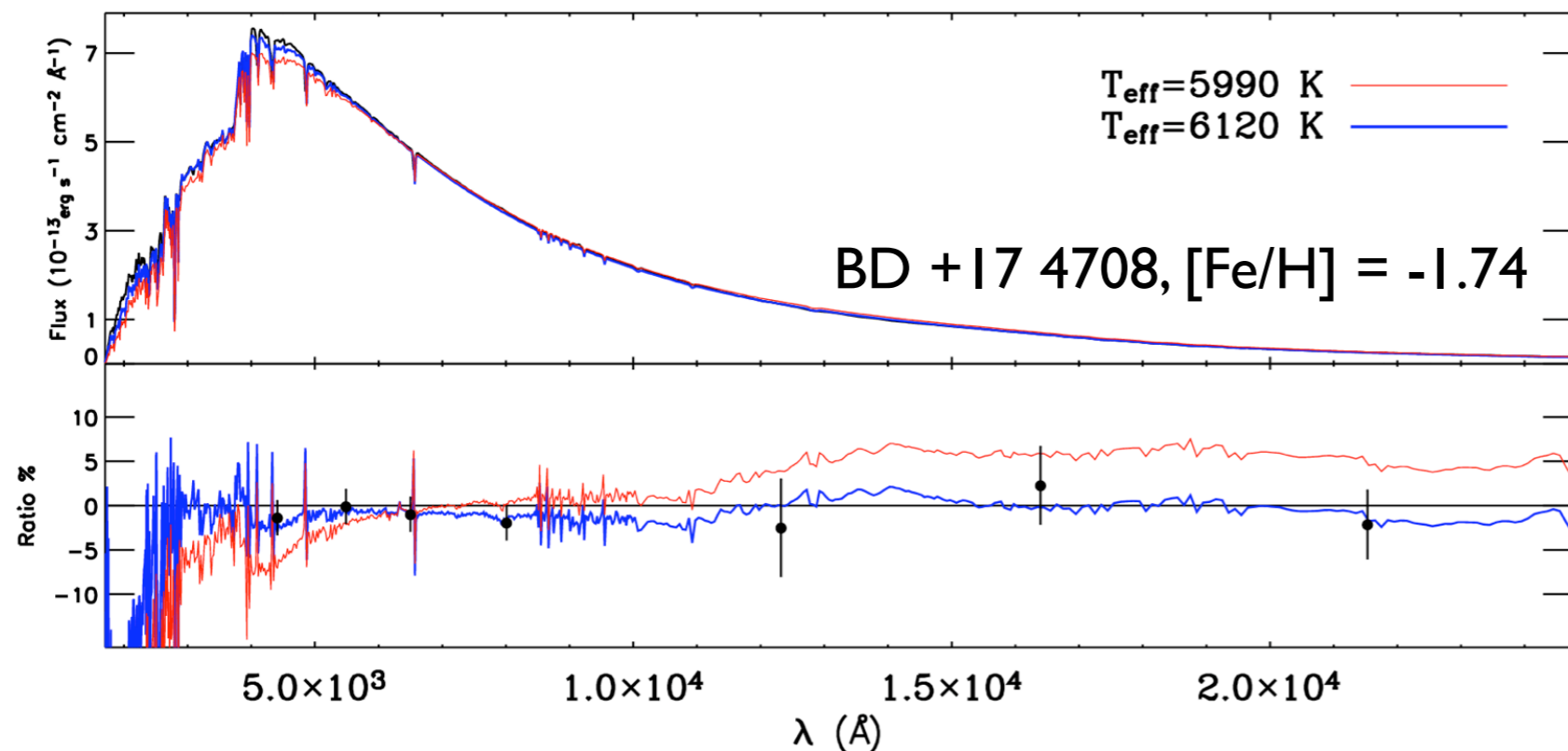
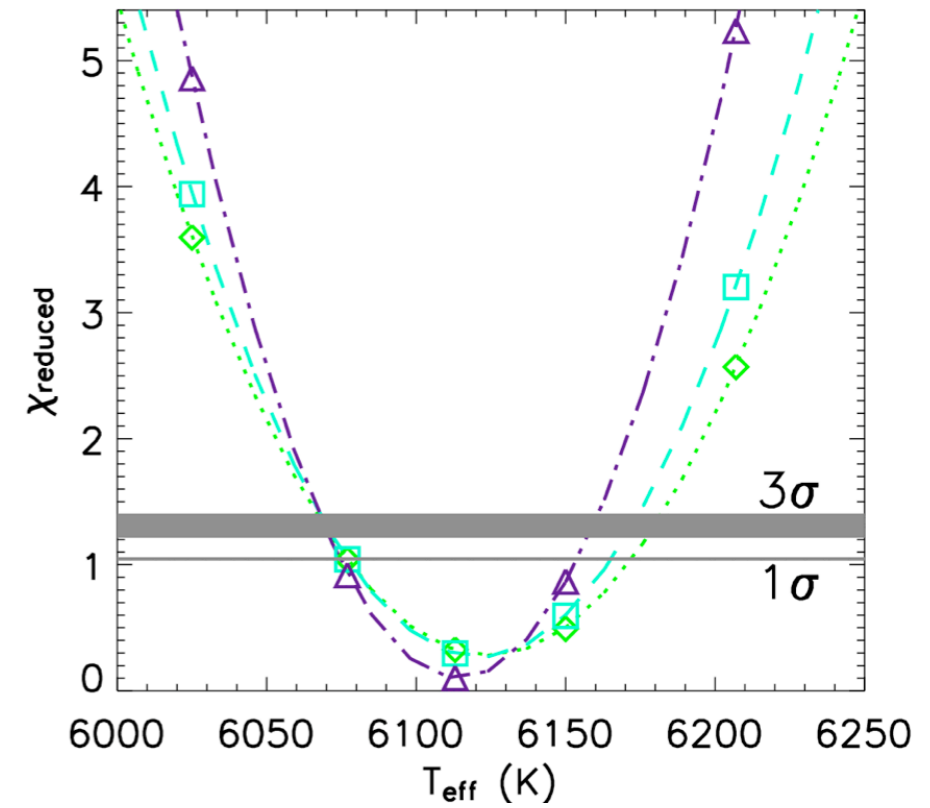
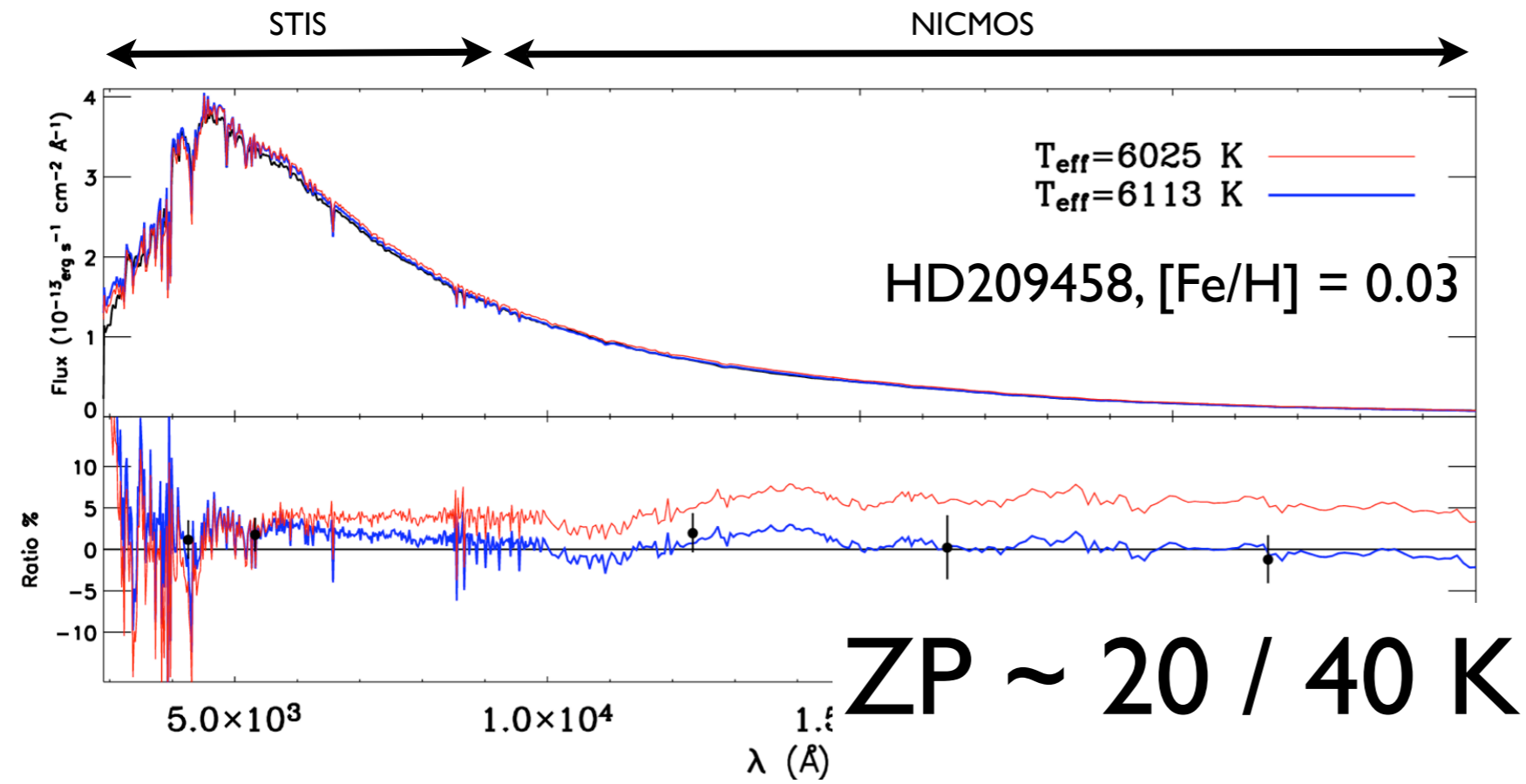
$$\Delta\theta = -0.6 \pm 1.7\% \longrightarrow \Delta T_{\text{eff}} = 18 \pm 50\text{K}$$

HST Spectro-photometry

STIS ← → NICMOS →

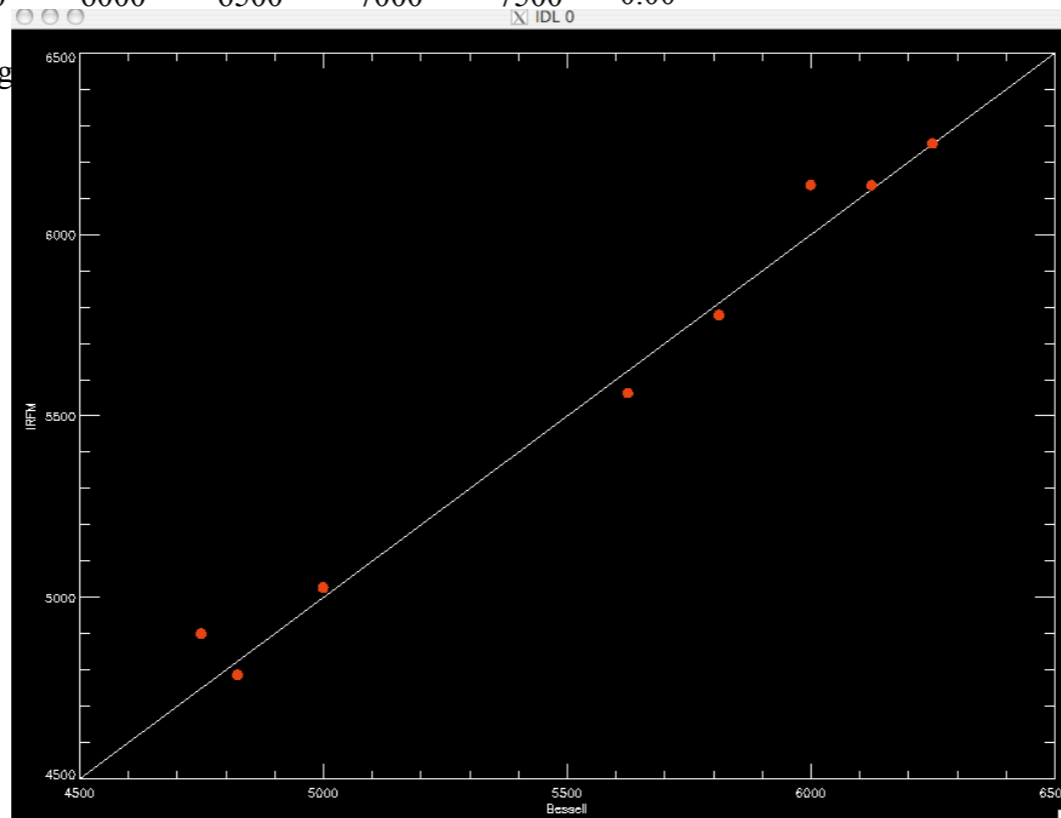
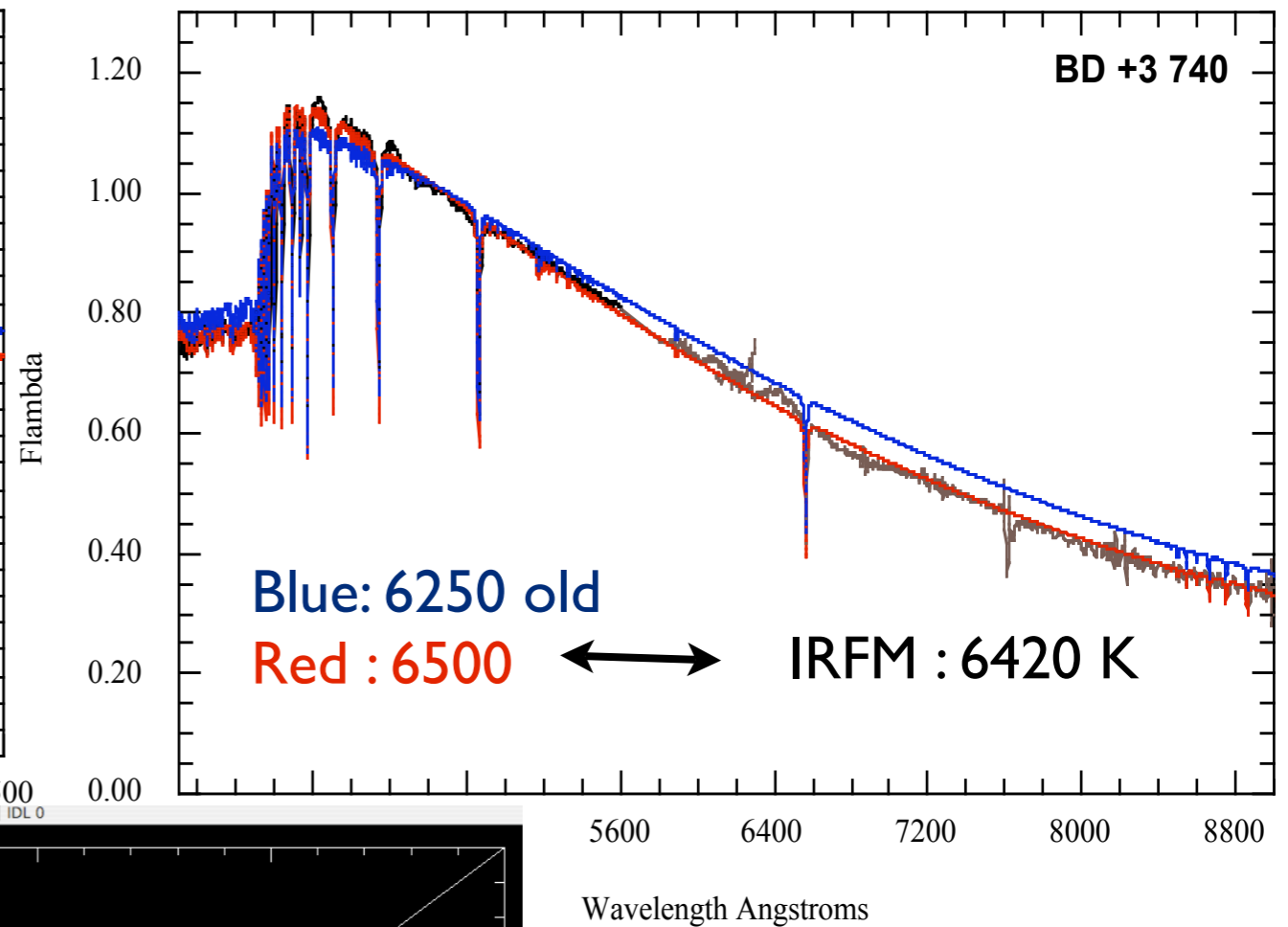
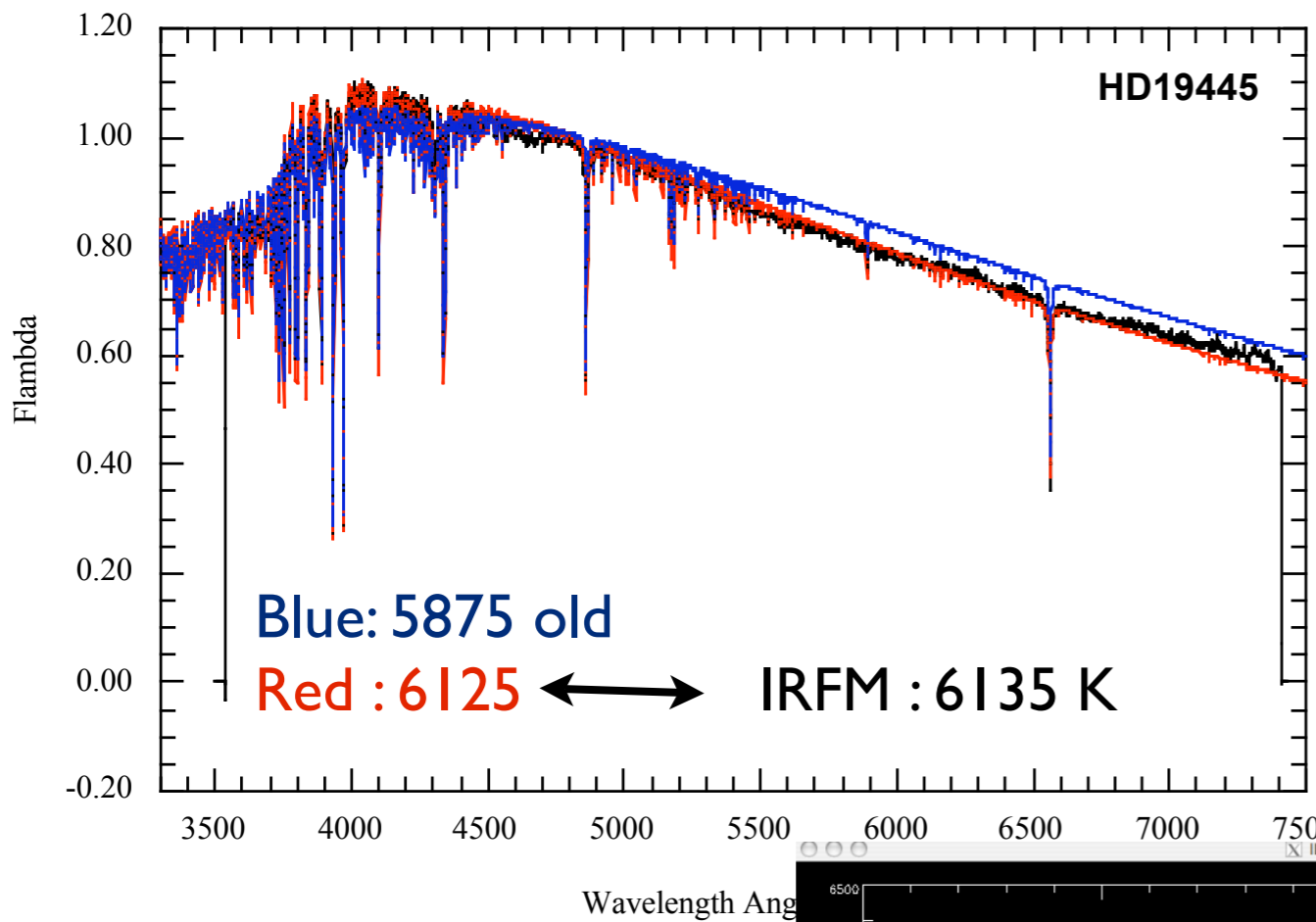


HST Spectro-photometry



More Spectro-photometry

M. Bessell (private comm.)

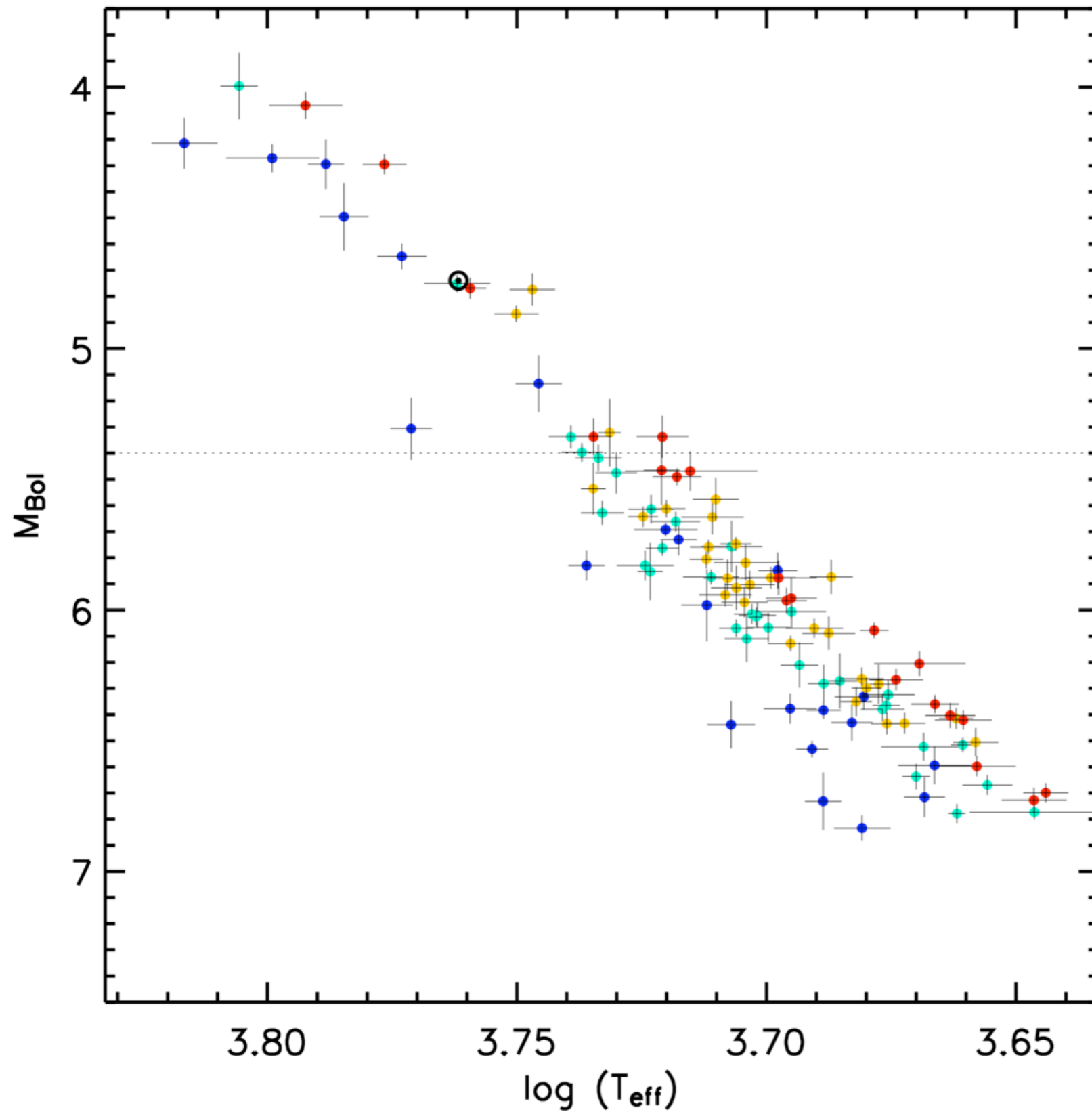




Advertise your business here

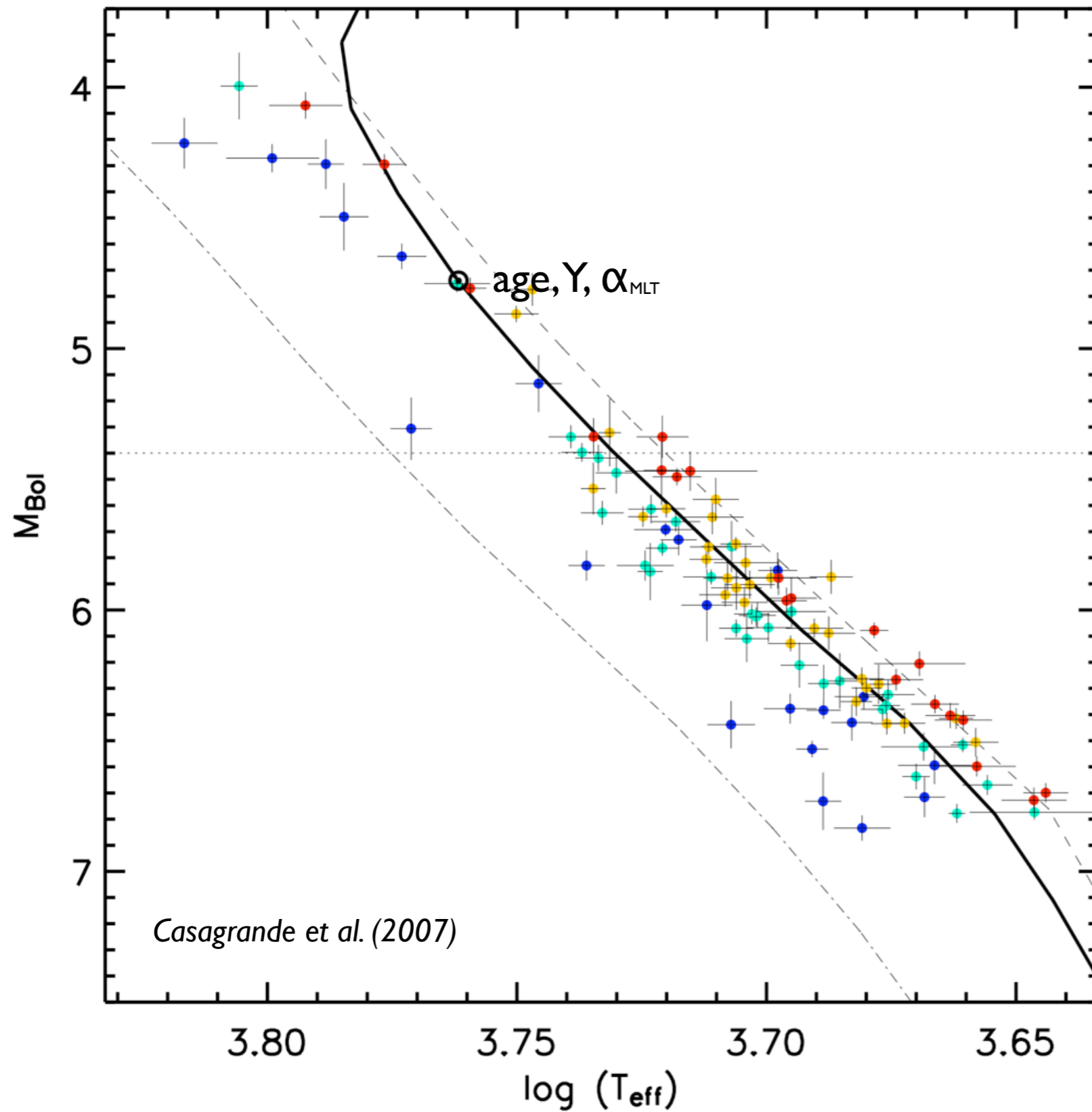
- Melendez's talk : Spite plateau
- Friday, 12:05 - 12.50, Discussion D

Broadening low MS



Effect of helium more prominent in theoretical HRD (*Castellani et al. 1999*)

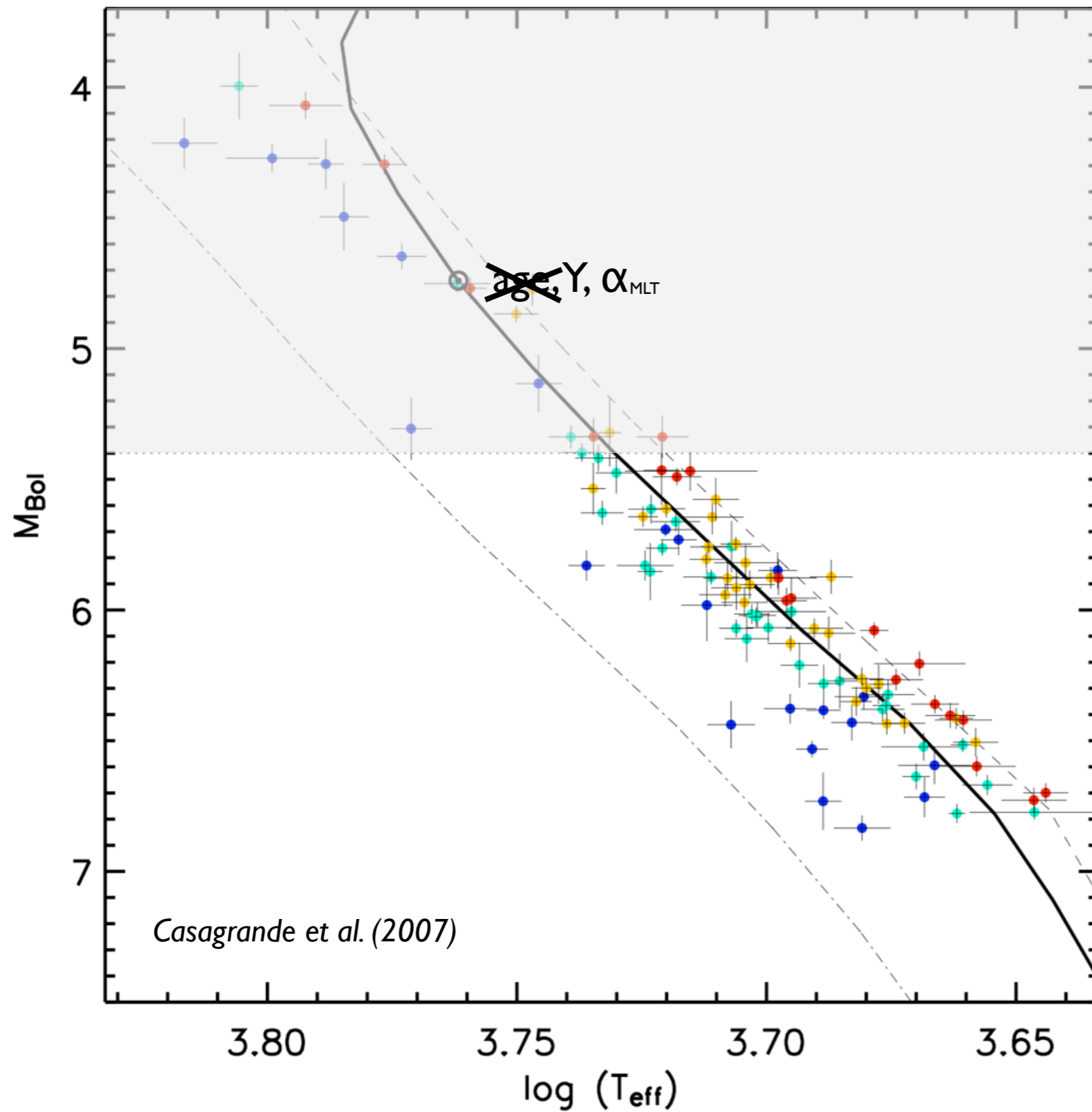
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Extended grid in Y, Z (*Padova isochrones, Bertelli et al. 2008*)

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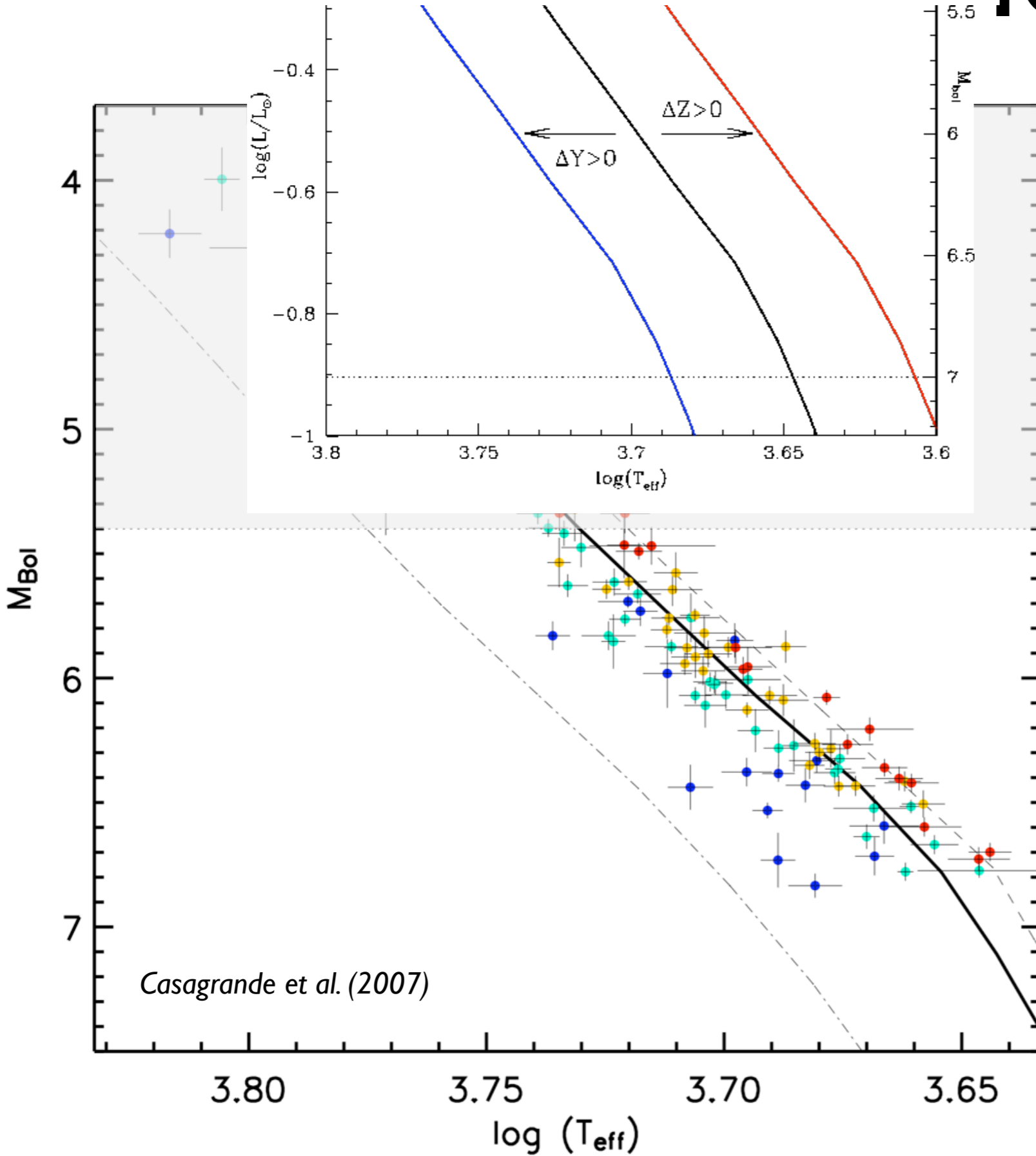
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- 86 stars
- spectroscopic $-1.8 < [\text{Fe}/\text{H}] < 0.34$
- T_{eff} , M_{Bol} from IRFM
- Parallaxes better 6%

low MS

Broadening depends on $\Delta Y/\Delta Z$
(e.g. Faulkner 1967; Perrin et al. 1977; Pagel & Portinari 1998)



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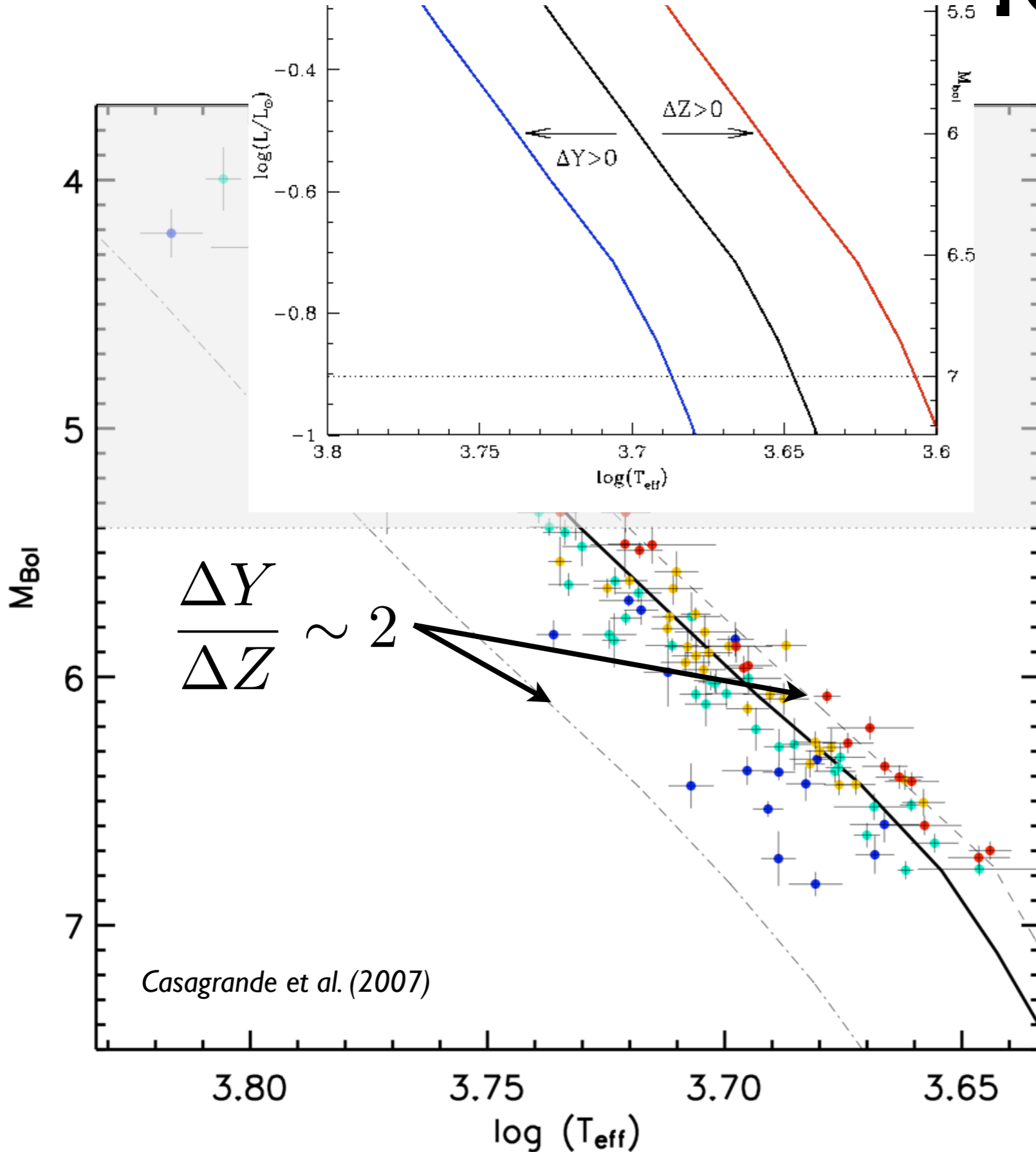
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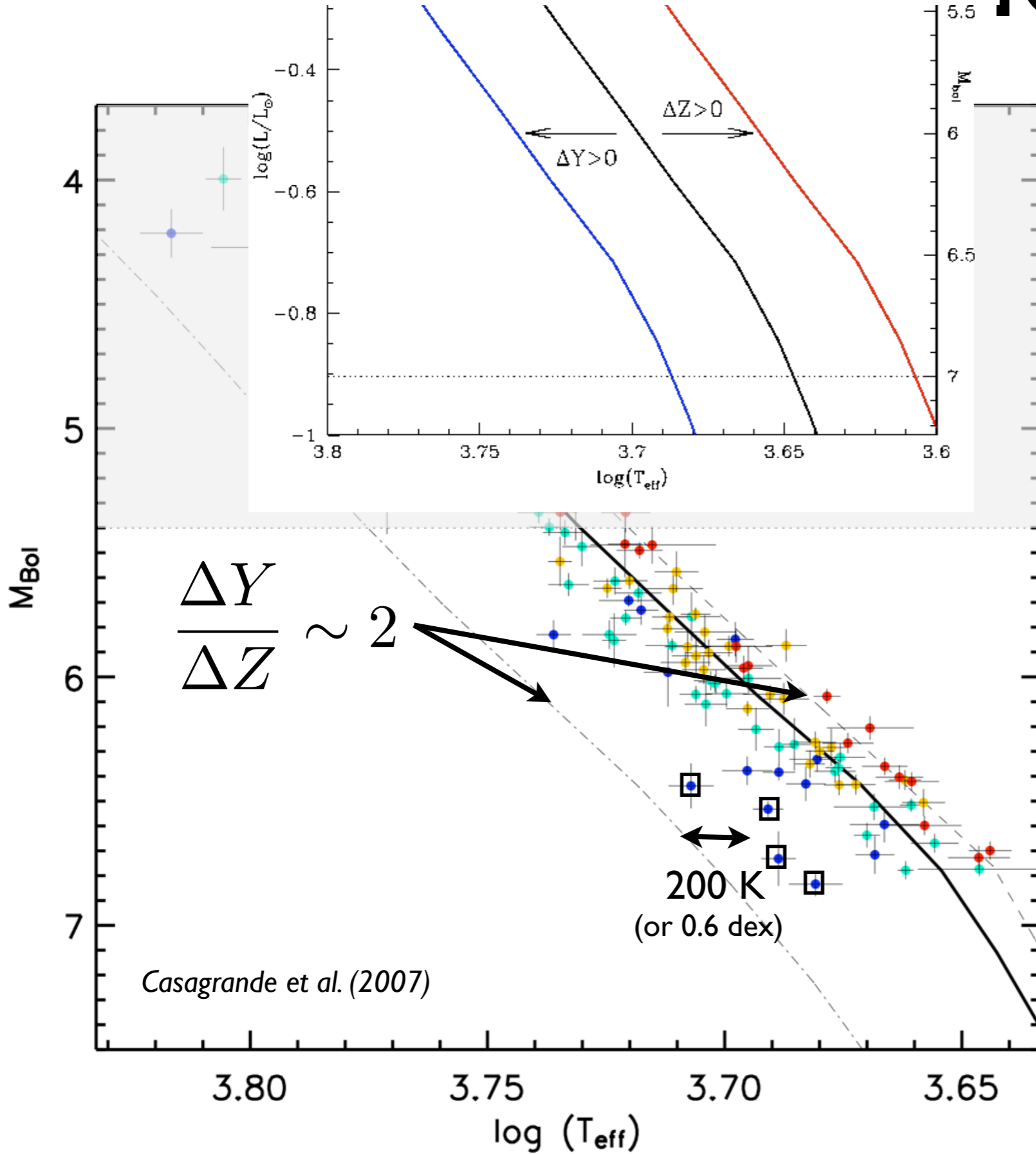
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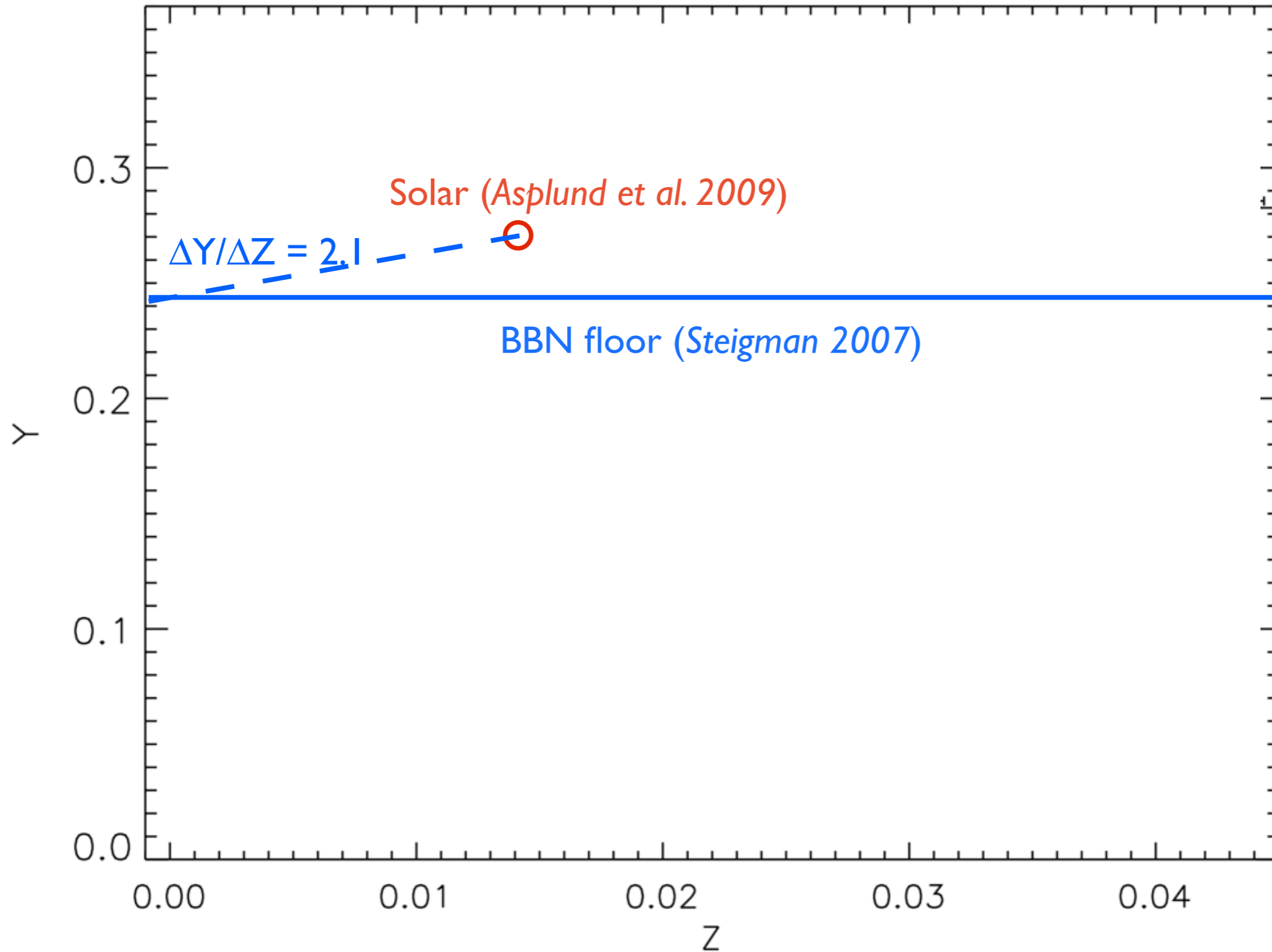
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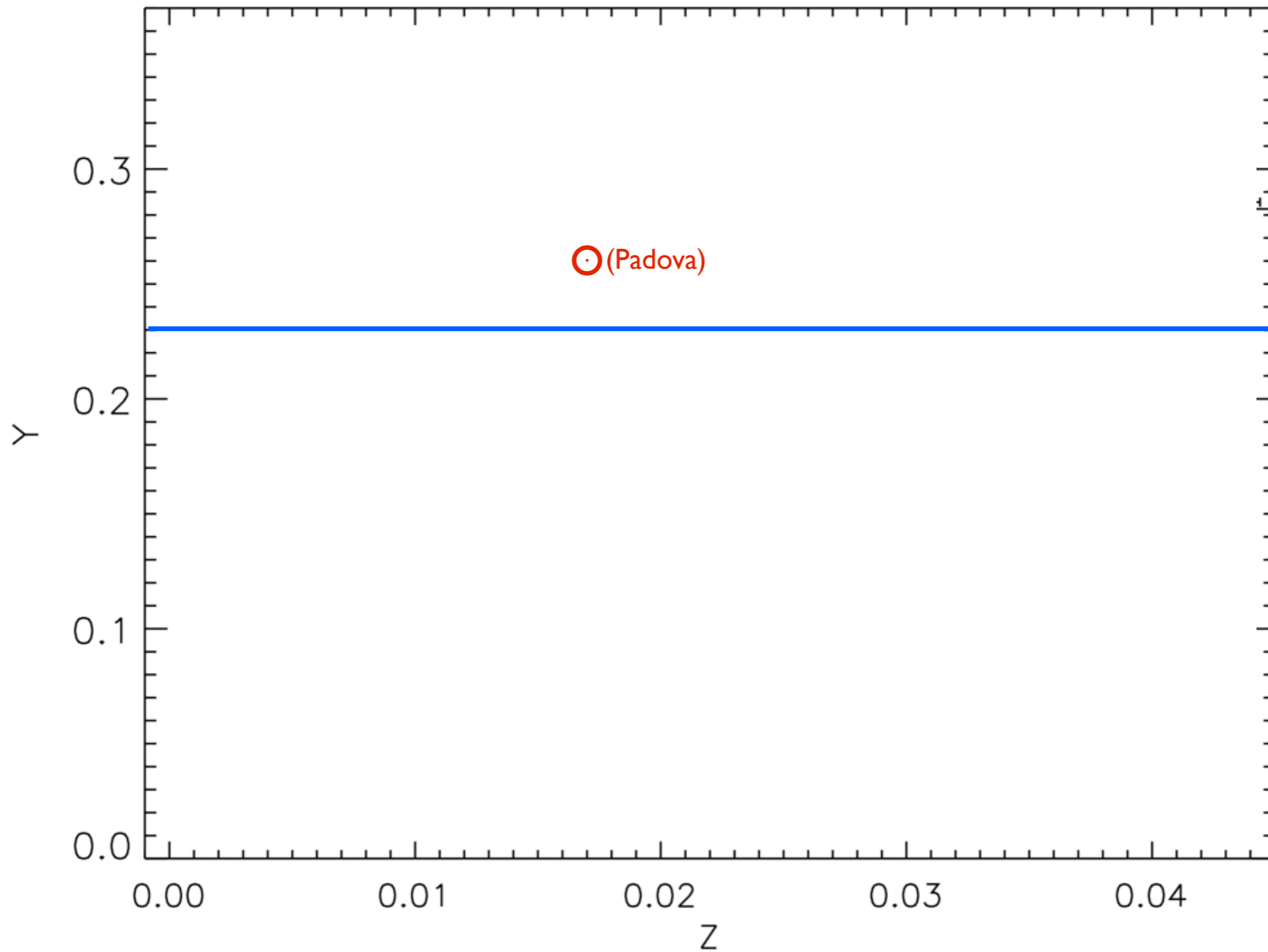


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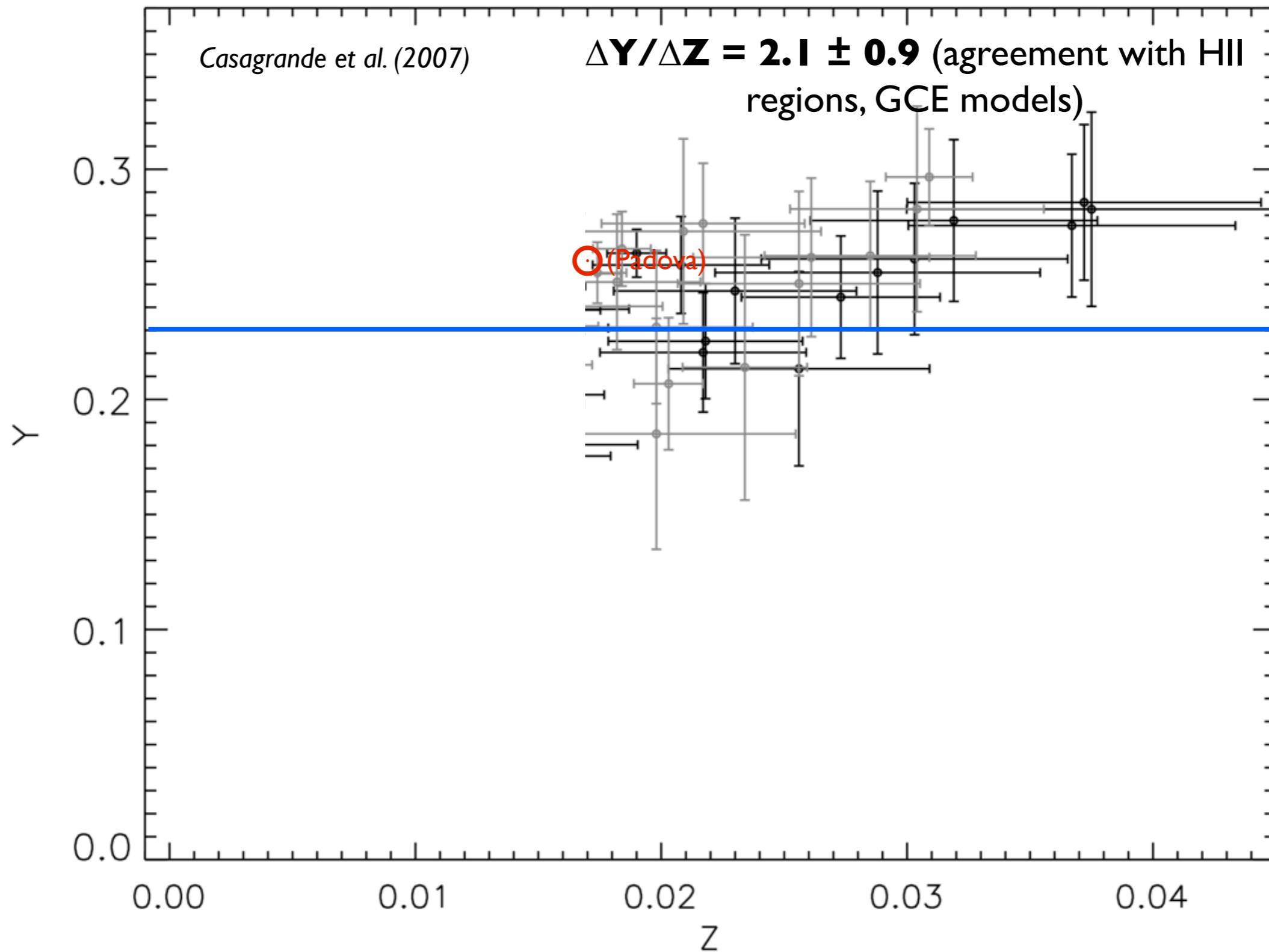
Y in nearby stars



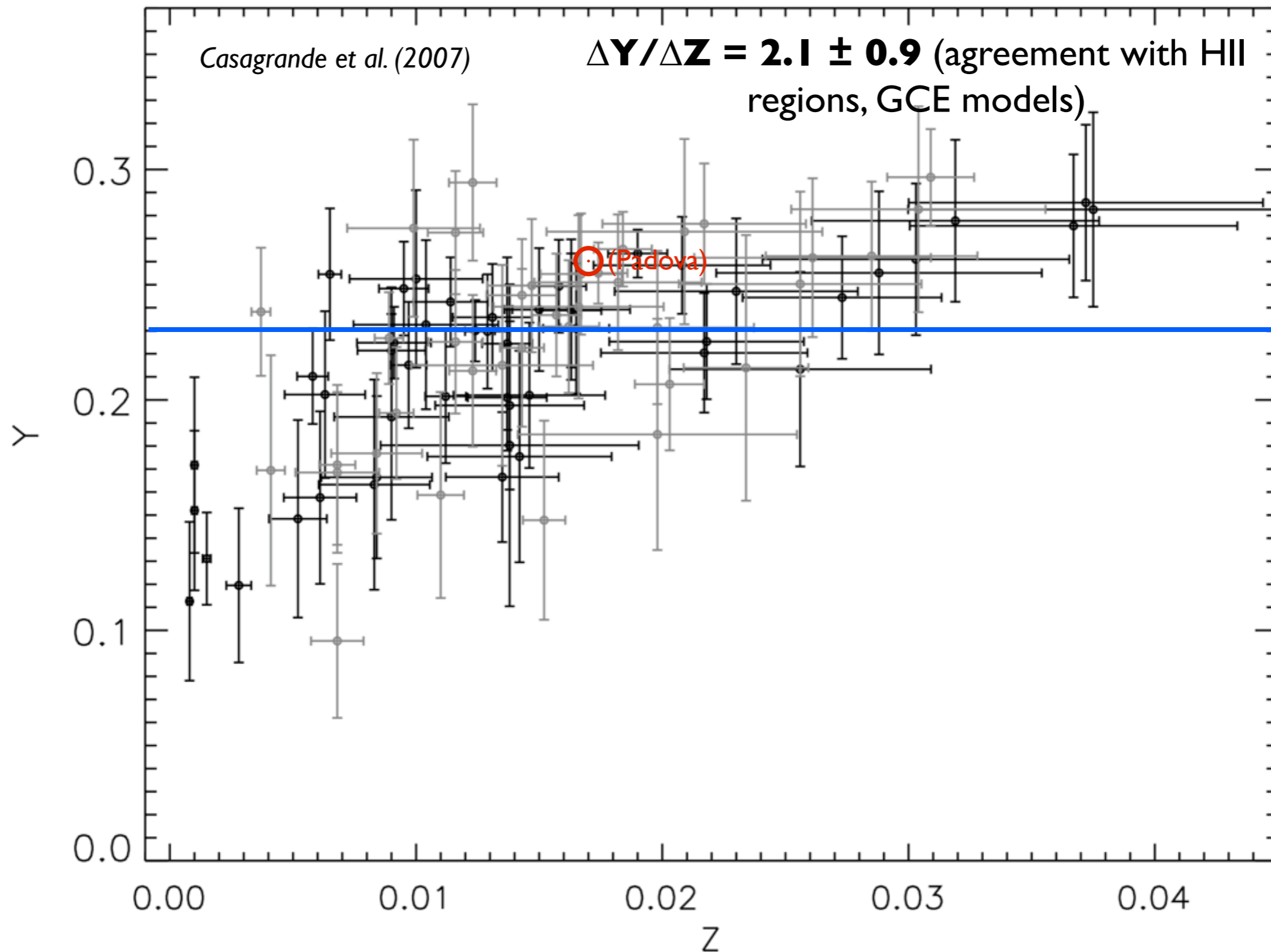
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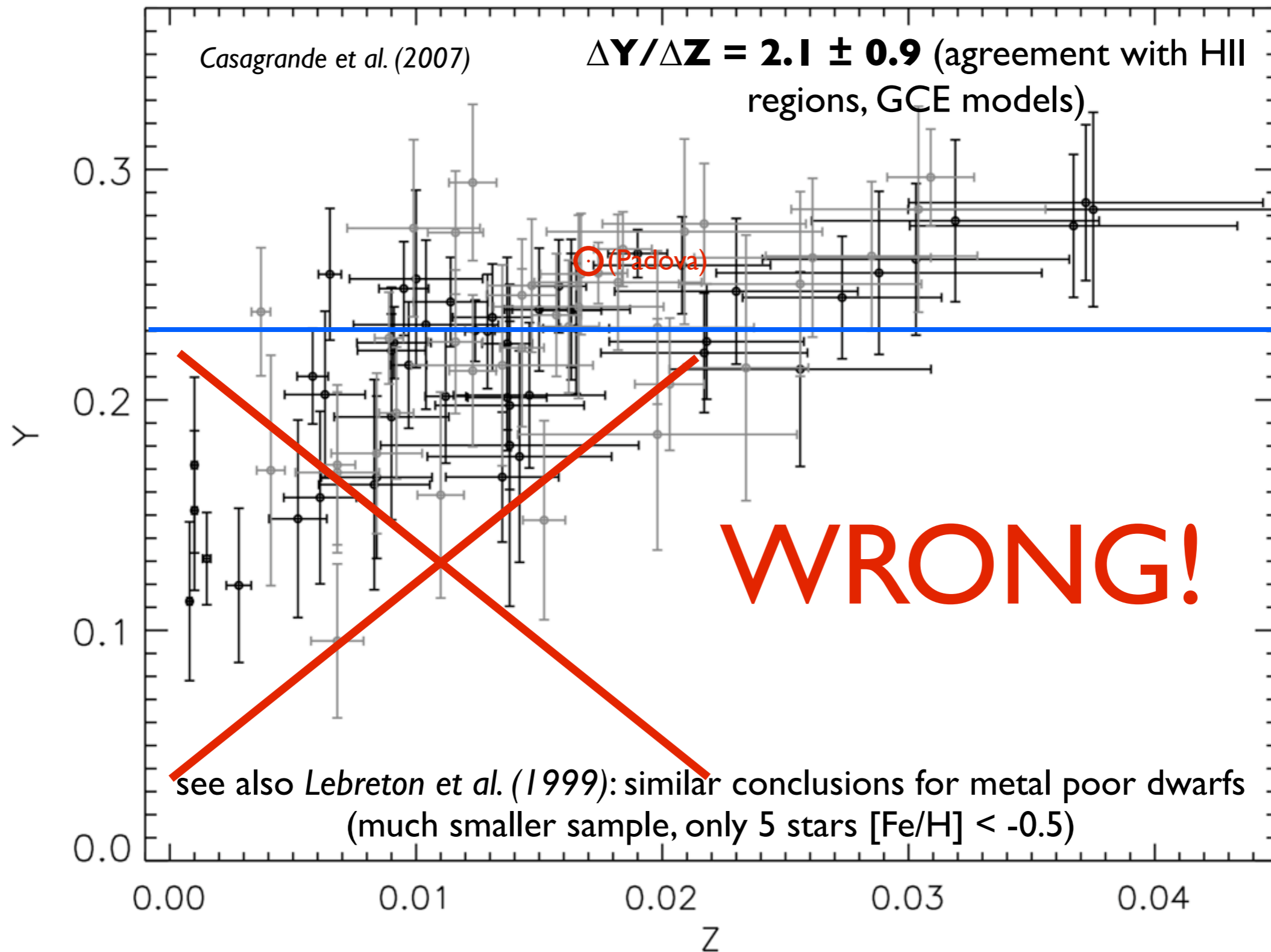
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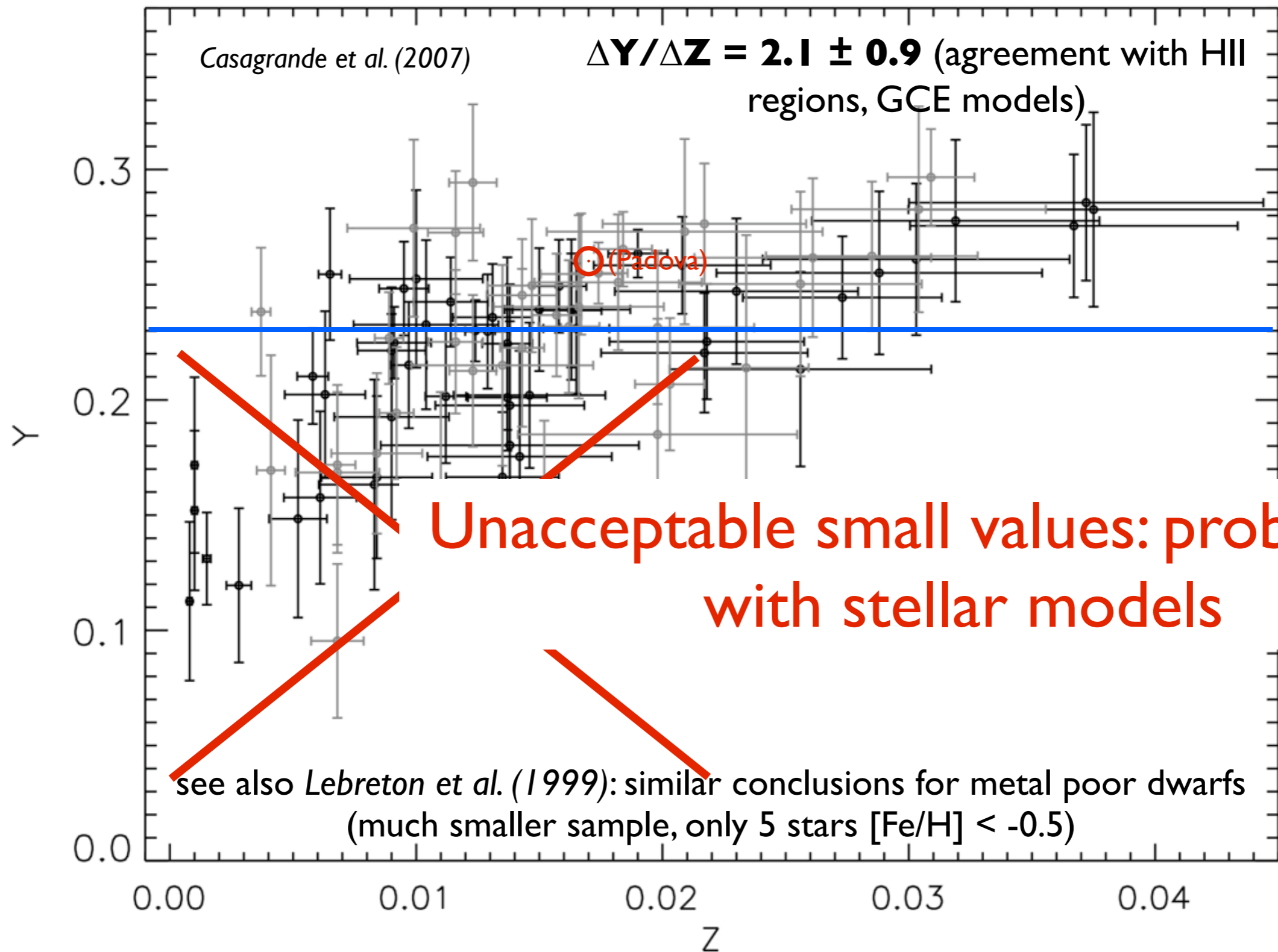
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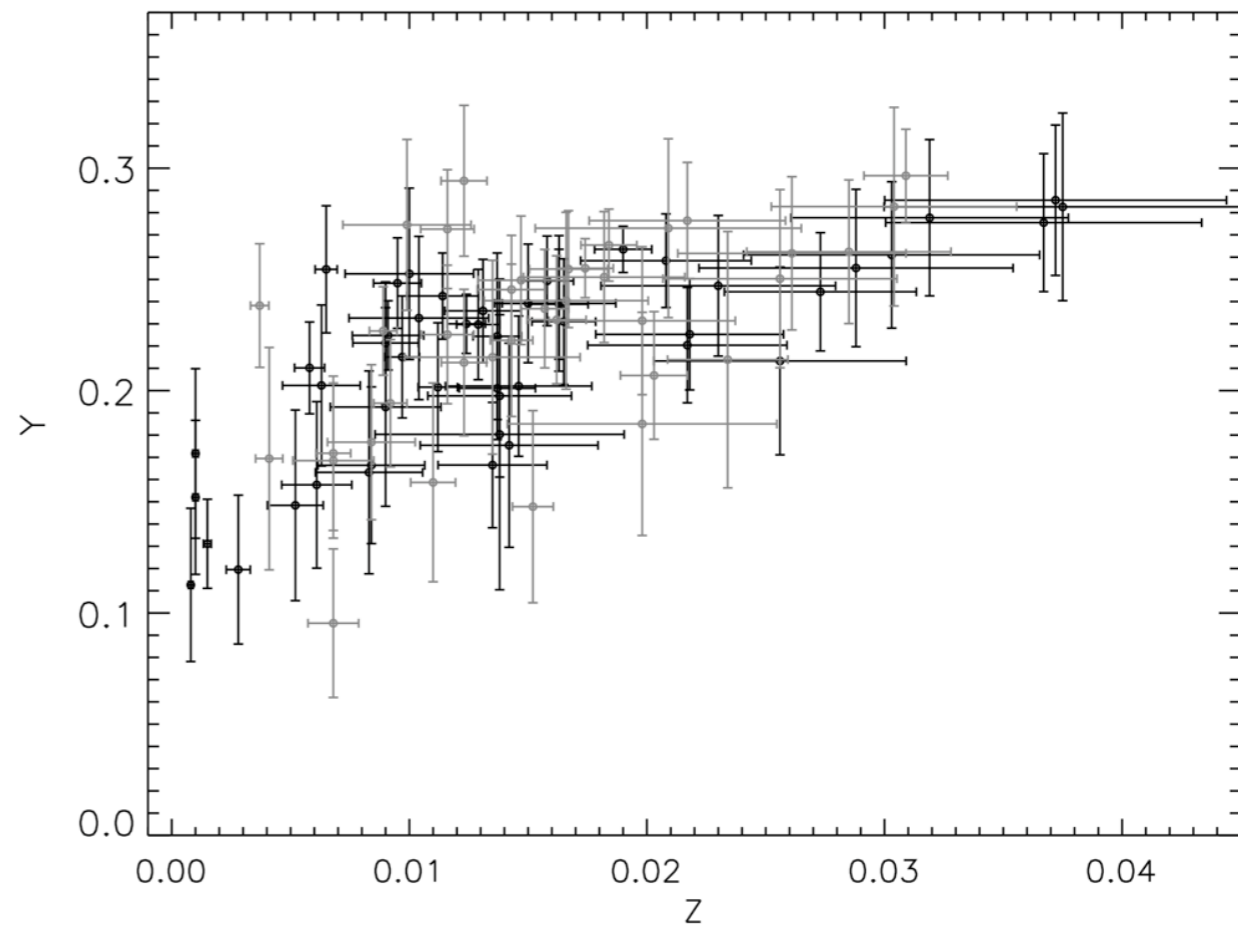
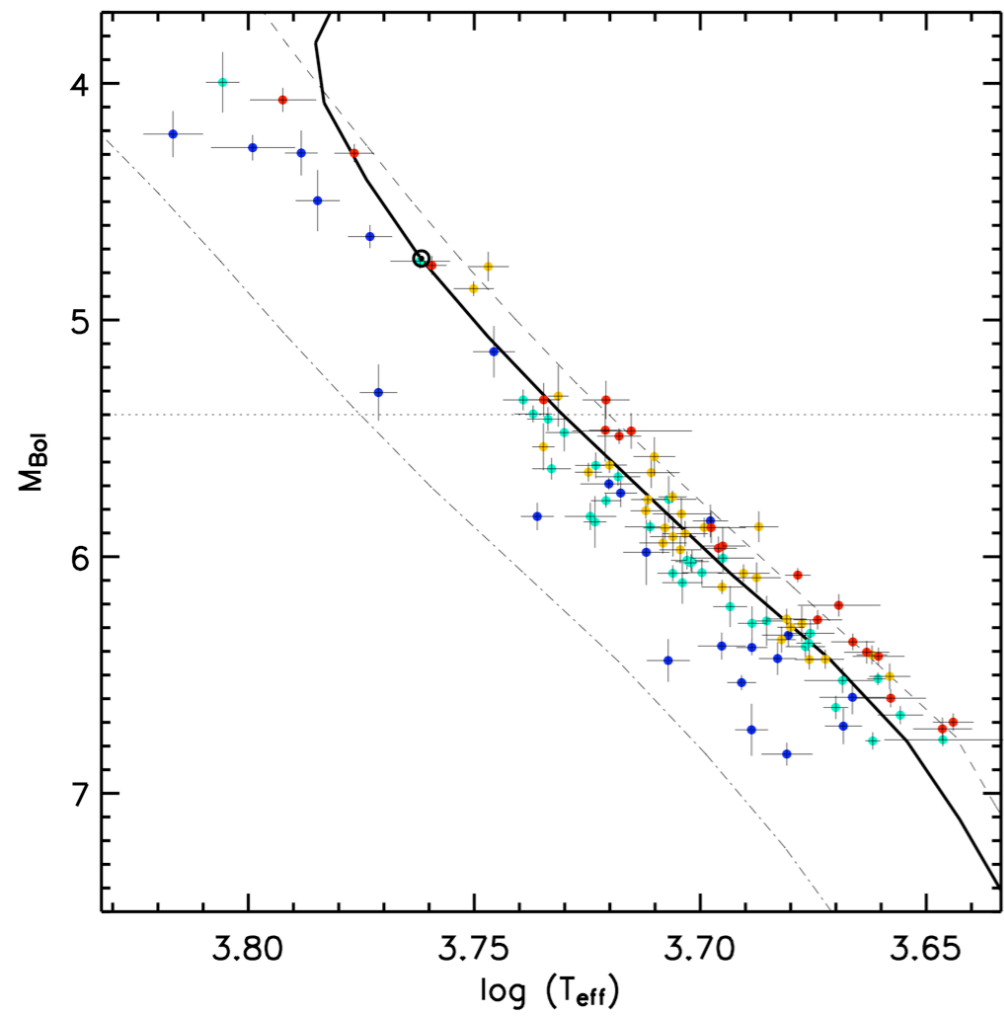


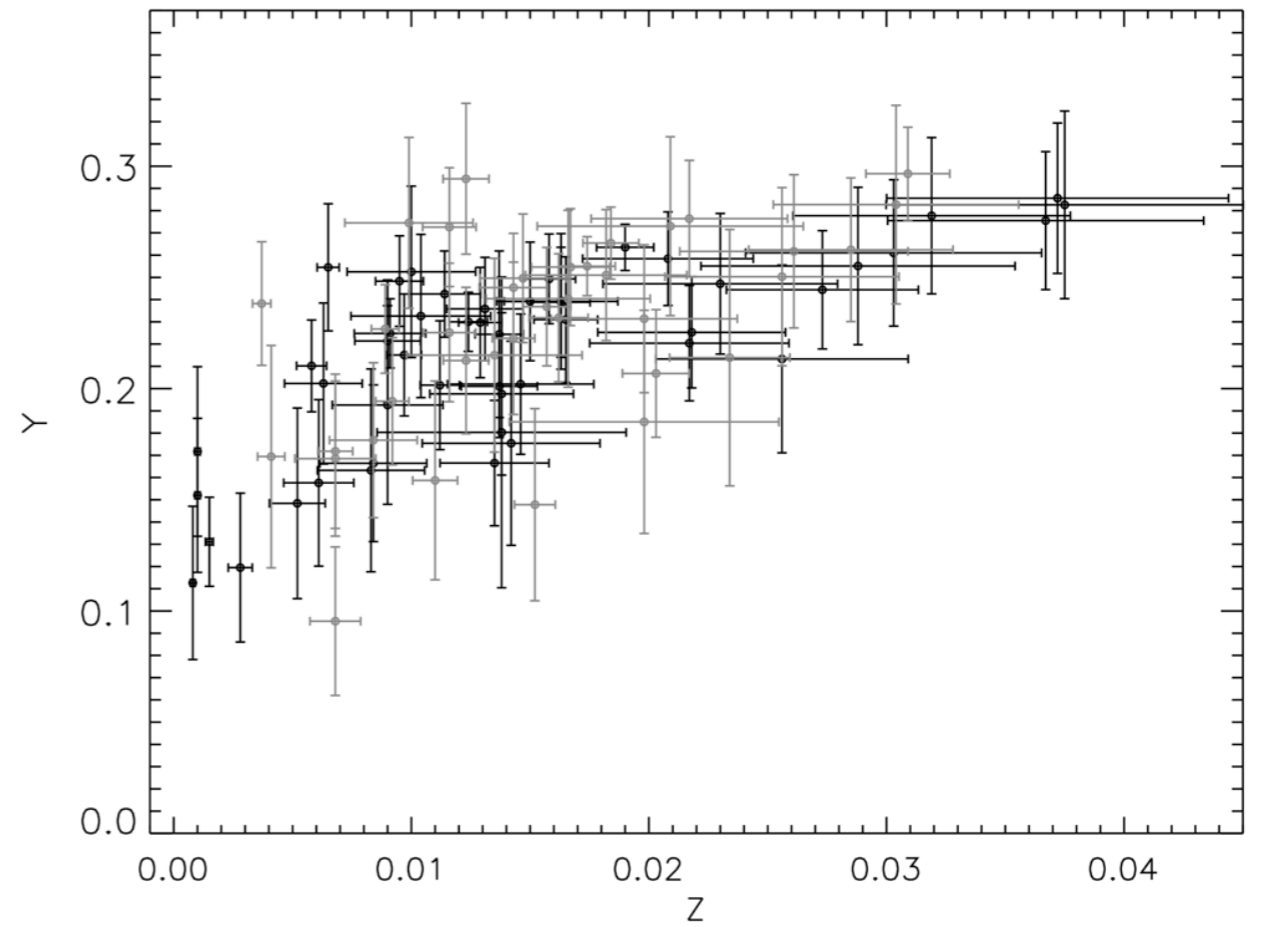
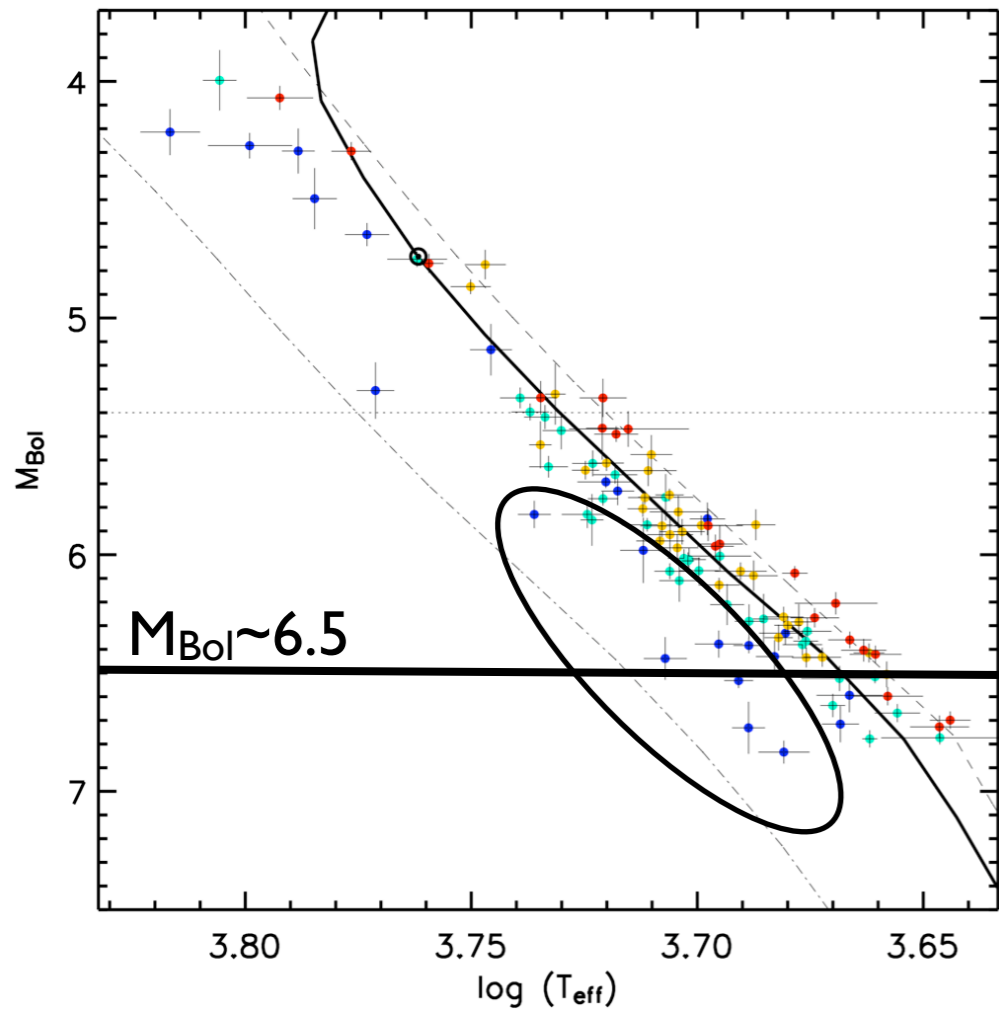
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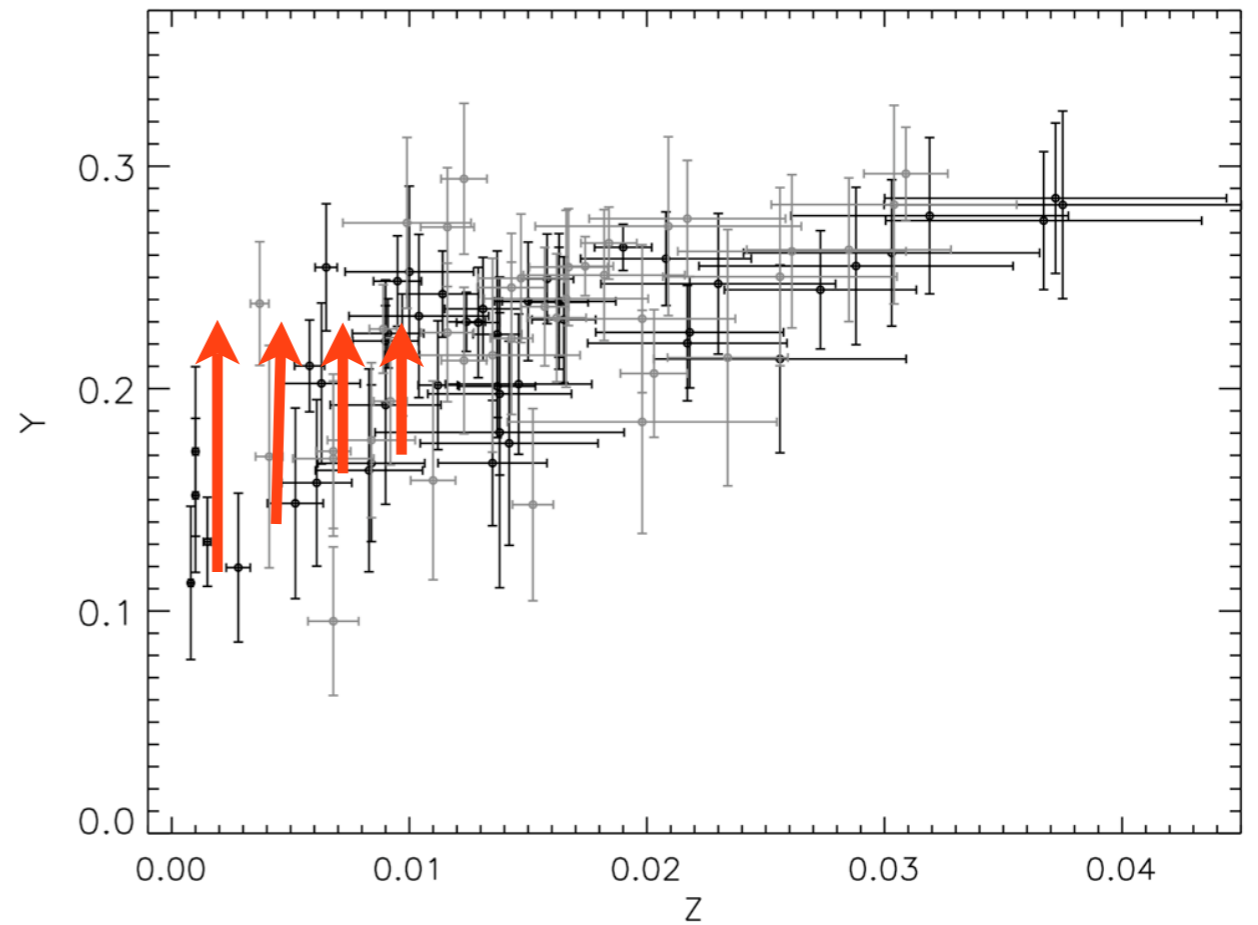
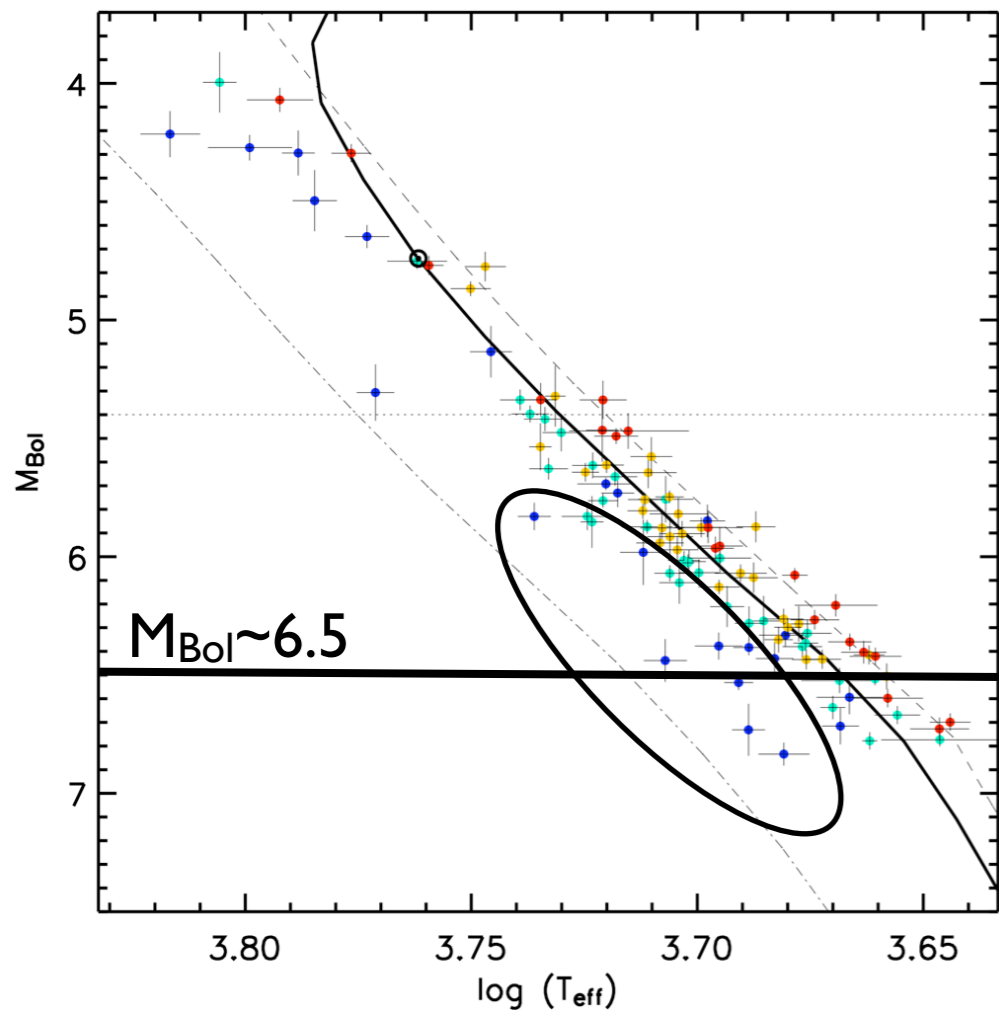
Y in nearby stars







- Is the broadening predicted by the models at low Z reliable ?

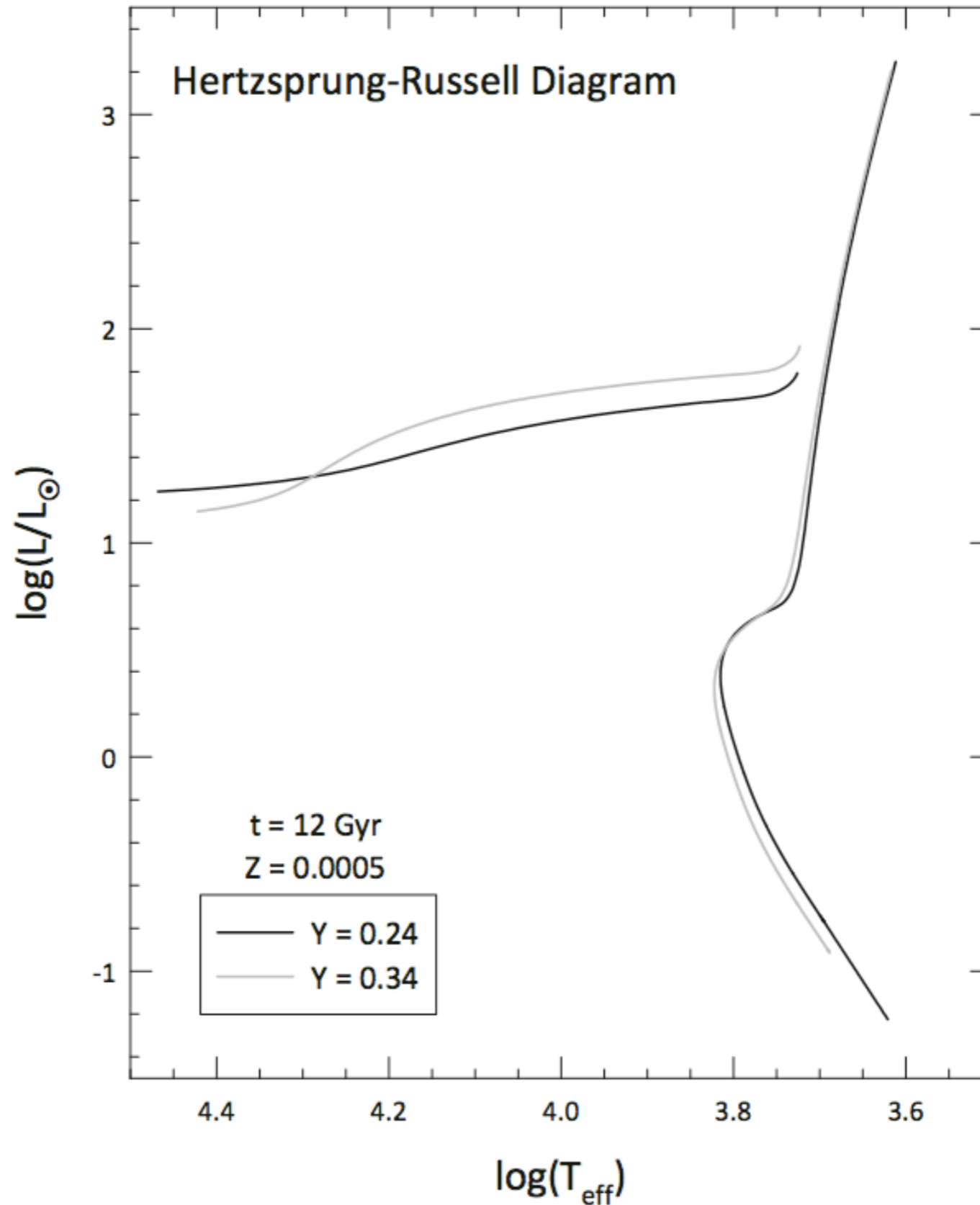


- Is the broadening predicted by the models at low Z reliable ?
- Reproducing the observed broadening with orthodox Y abundances : implications for multiple MSs in GCs ? Alias: if observed broadening is narrower, is then 'easier' to invert the MS?

An empirical approach... (Portinari, Casagrande & Flynn, to be submitted)

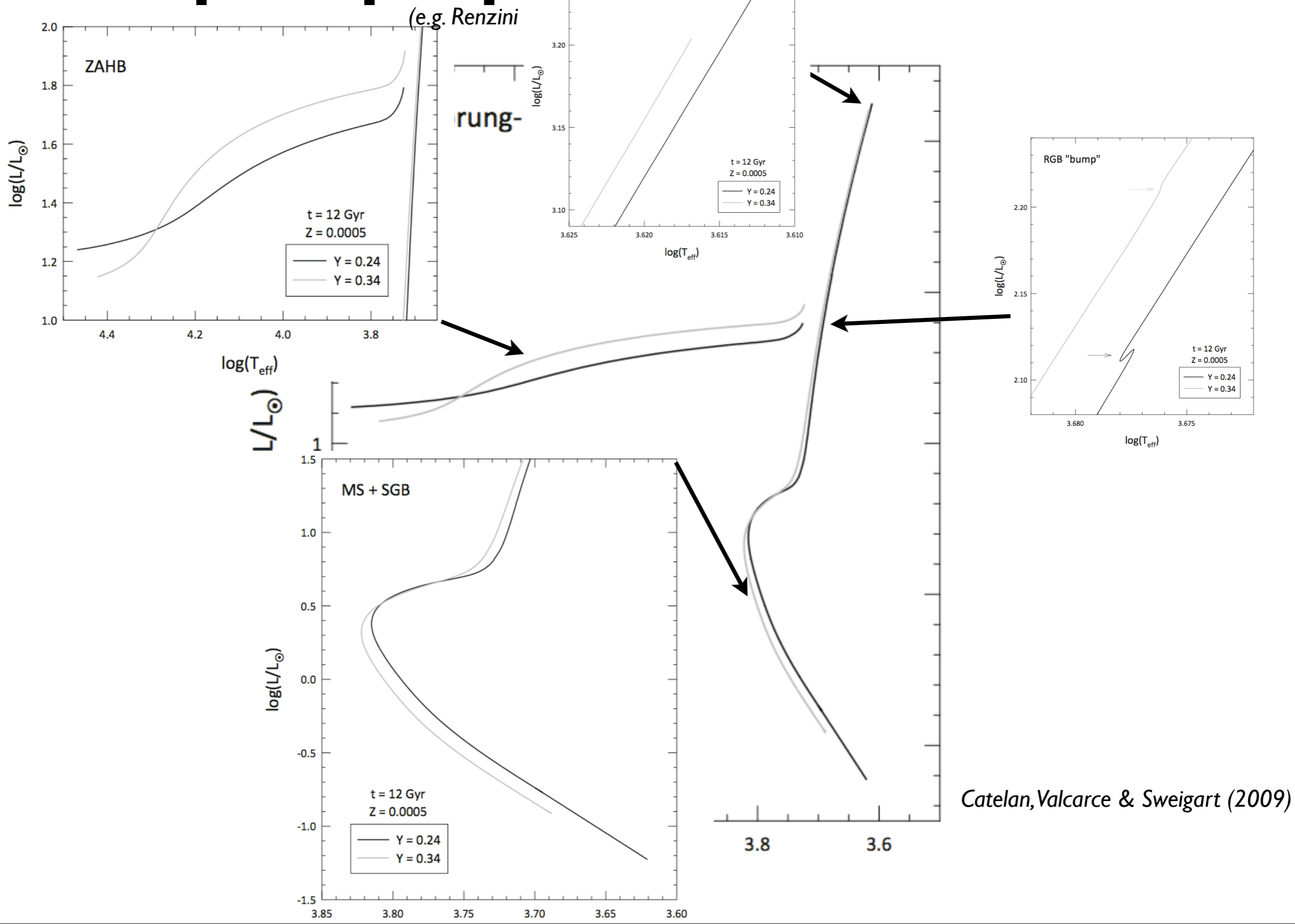
Multiple populations in GCs

(e.g. Renzini 2008; Piotto 2009; Yi 2009)

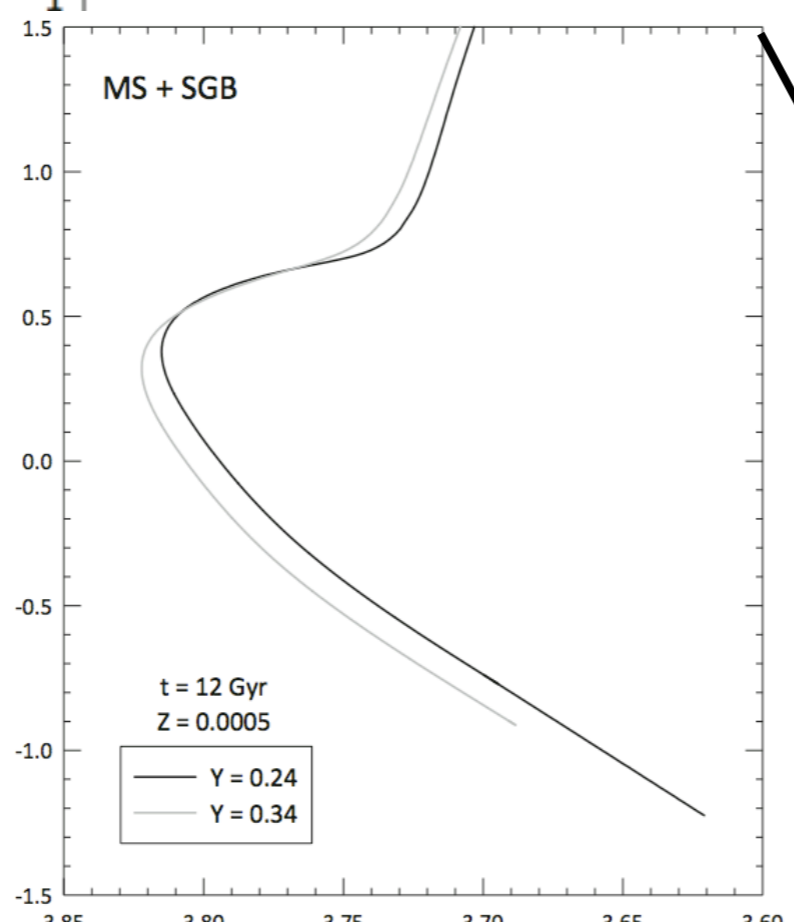
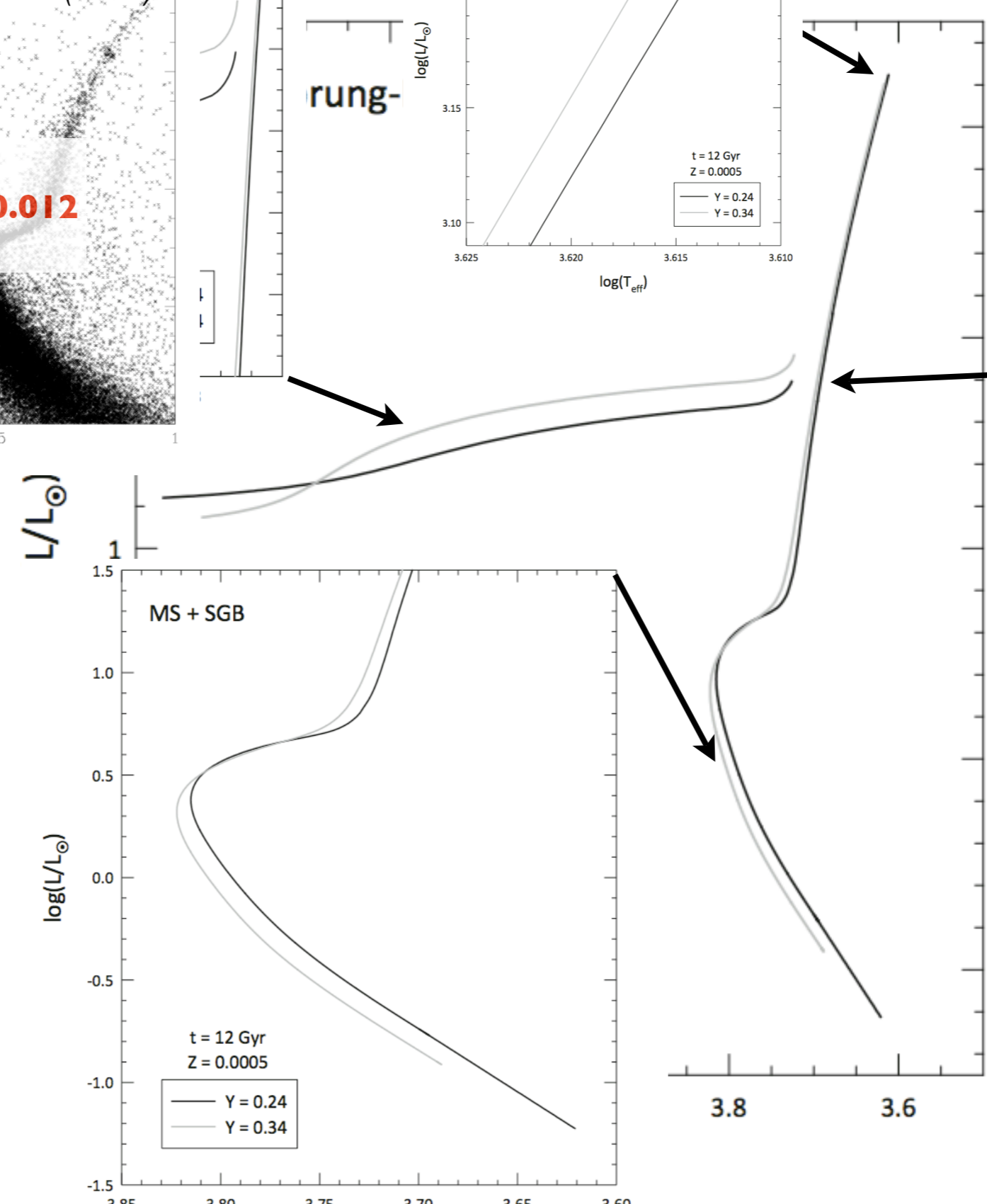
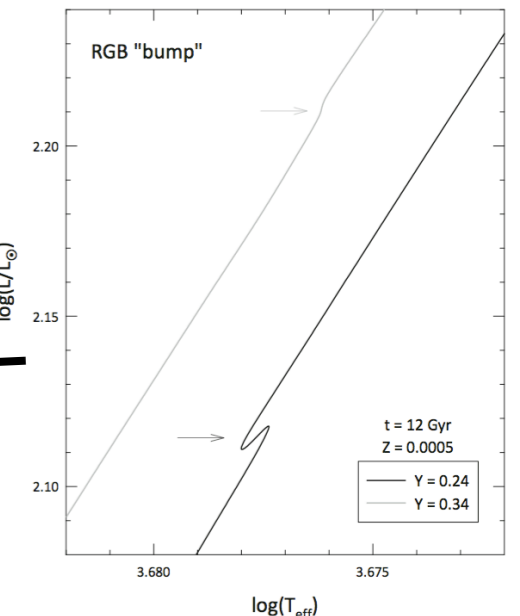
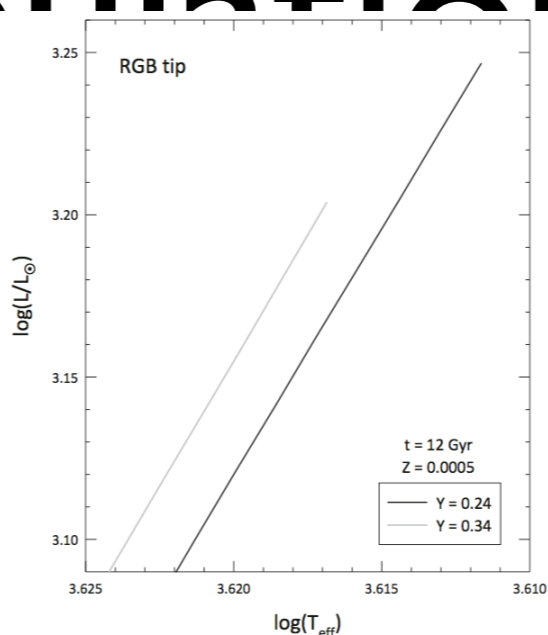
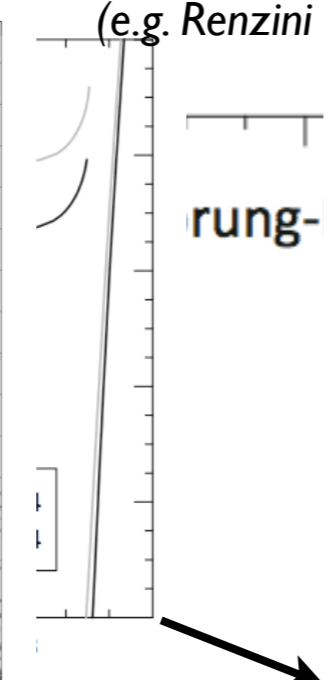
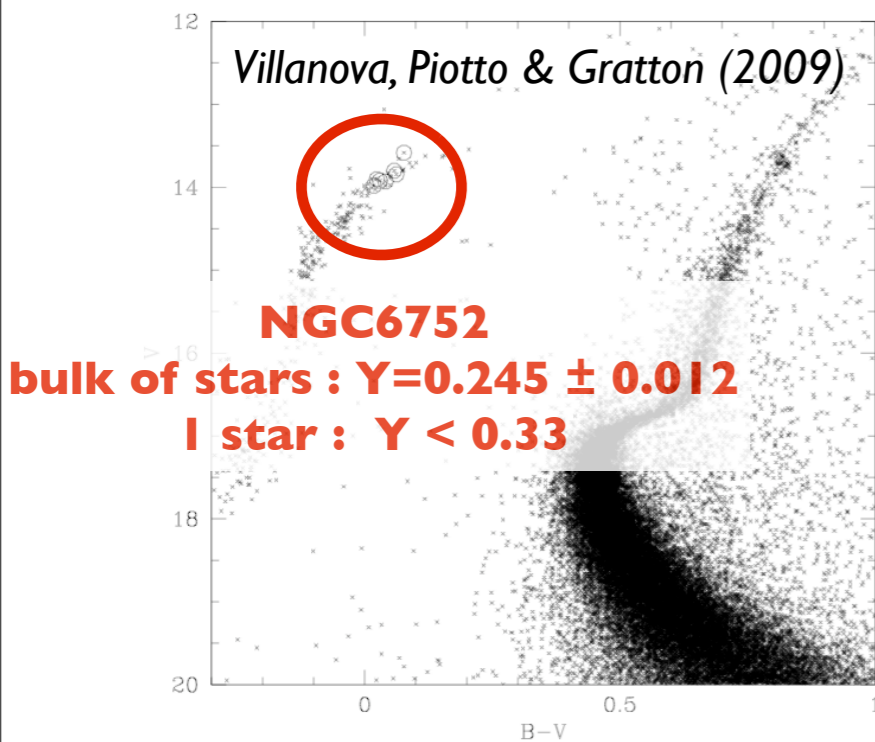


Catelan, Valcarce & Sweigart (2009)

Multiple populations in GCs

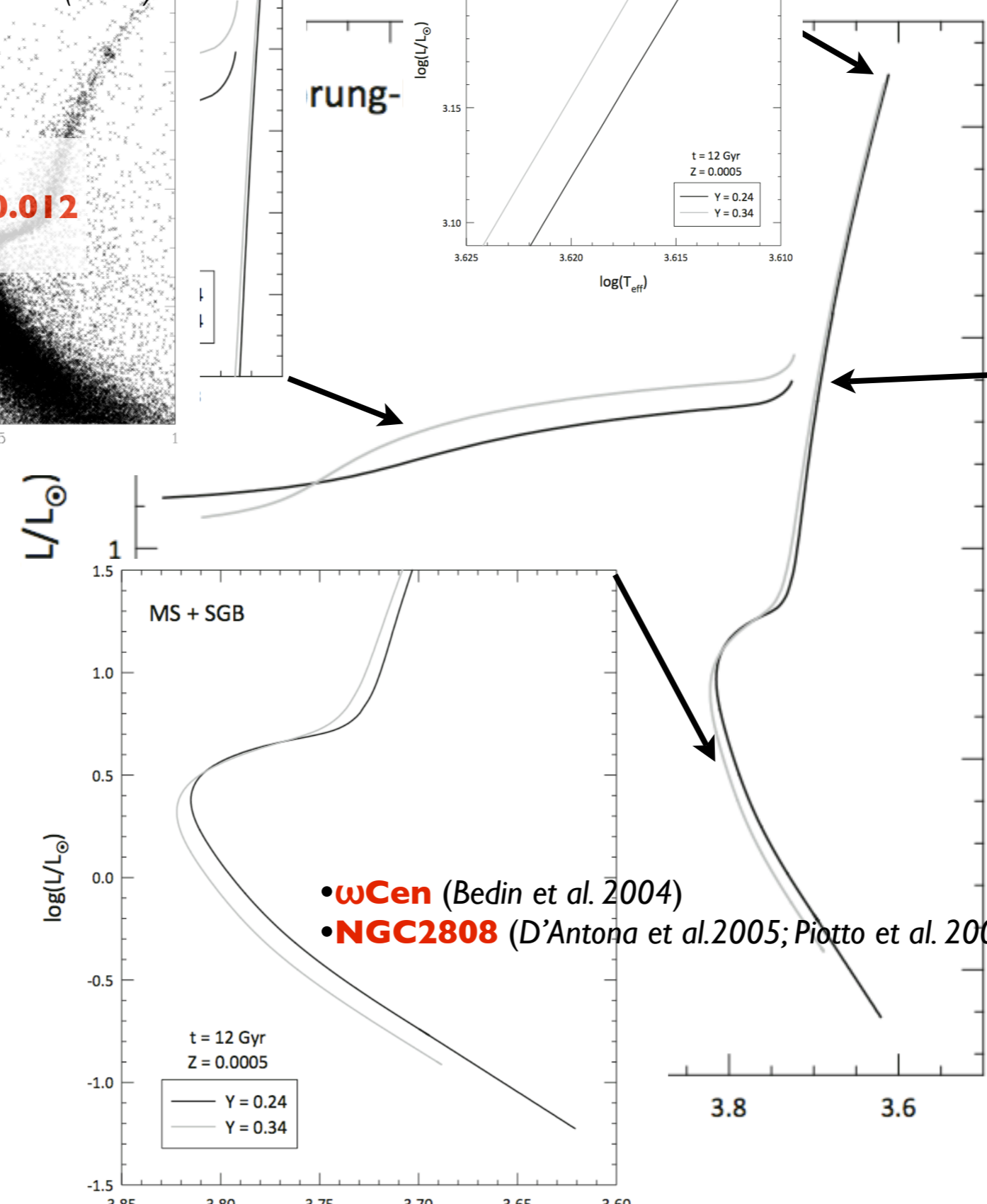
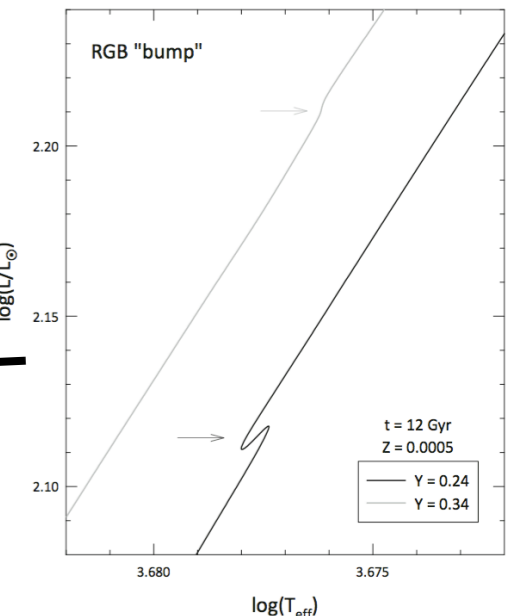
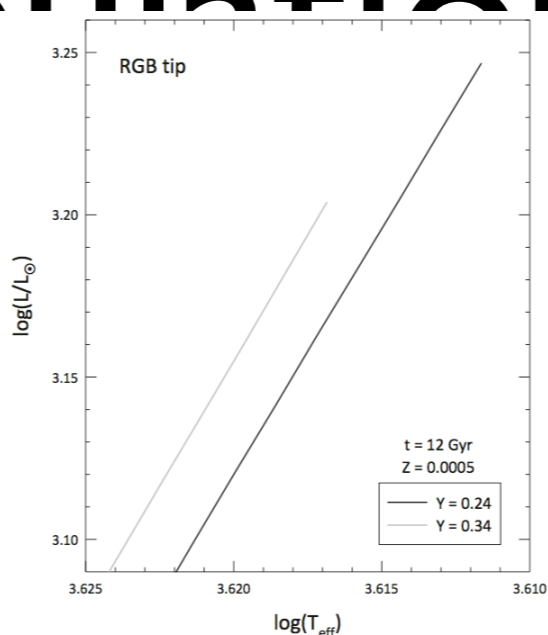
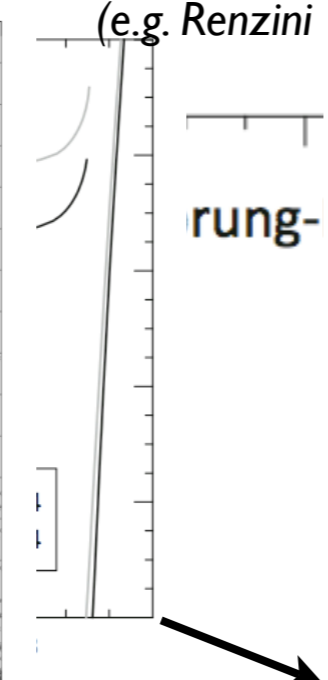
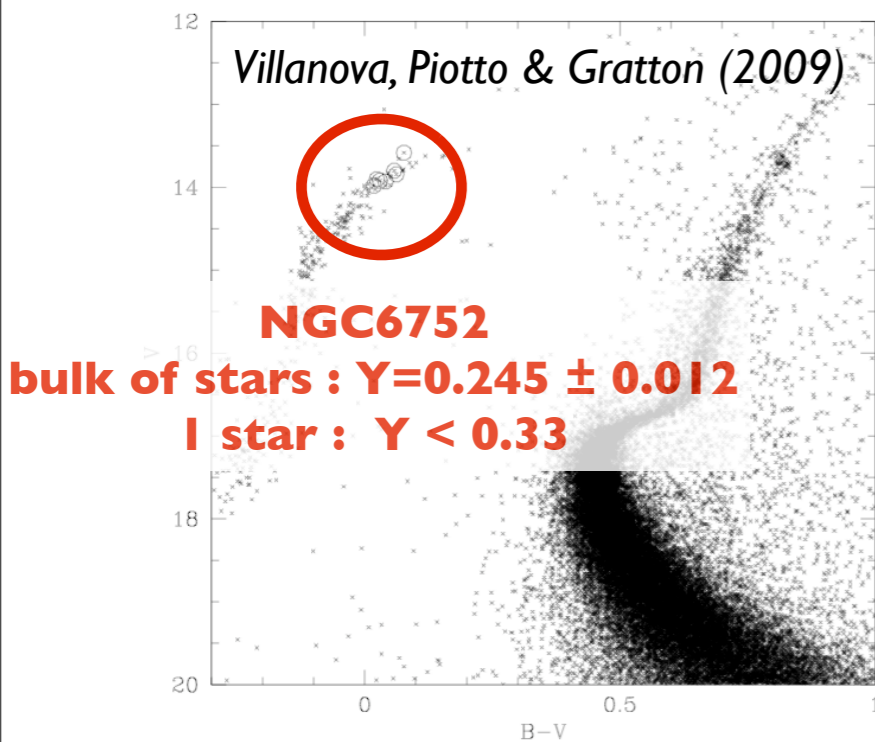


Multiple populations in GCs



Catelan, Valcarce & Sweigart (2009)

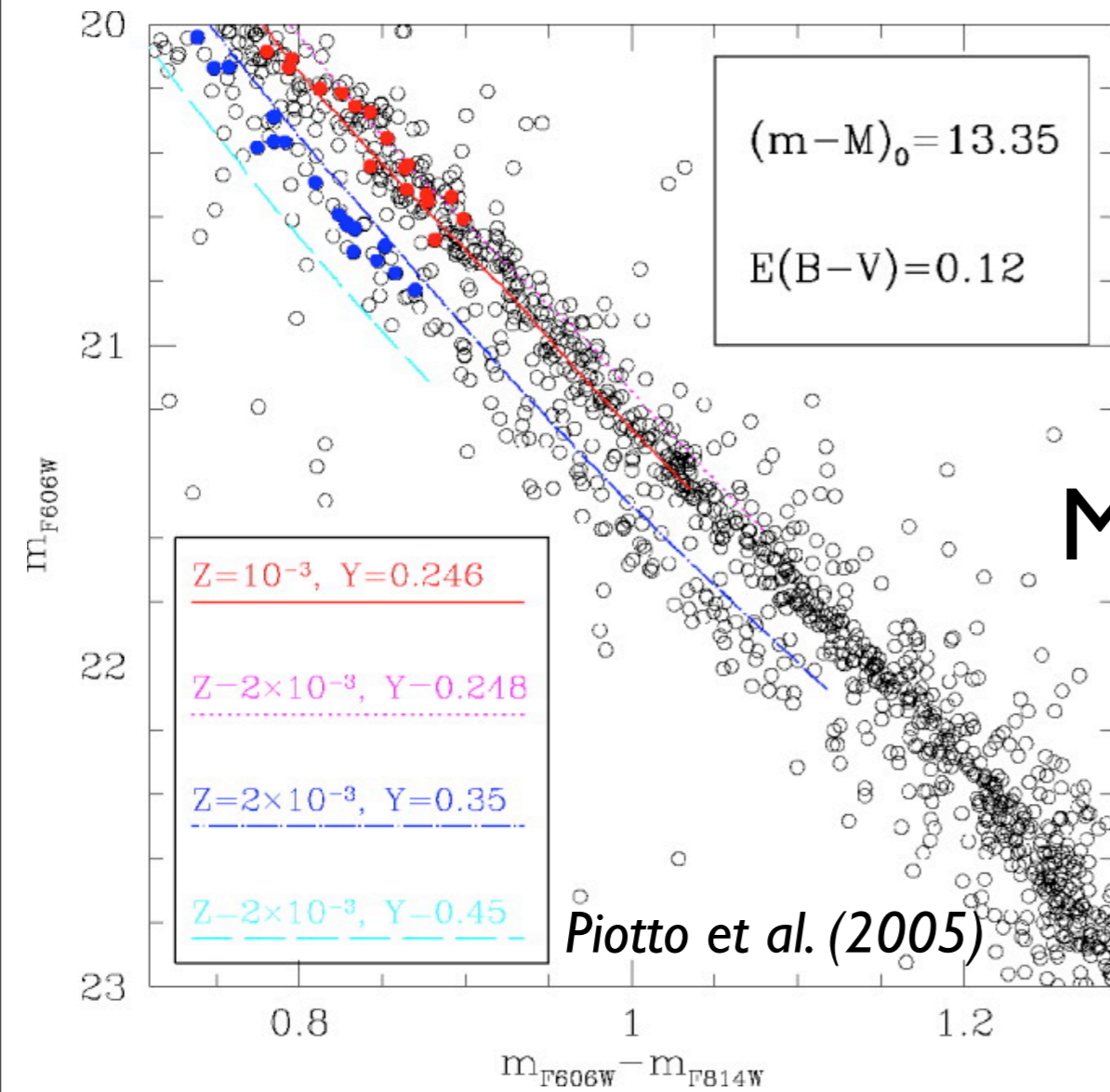
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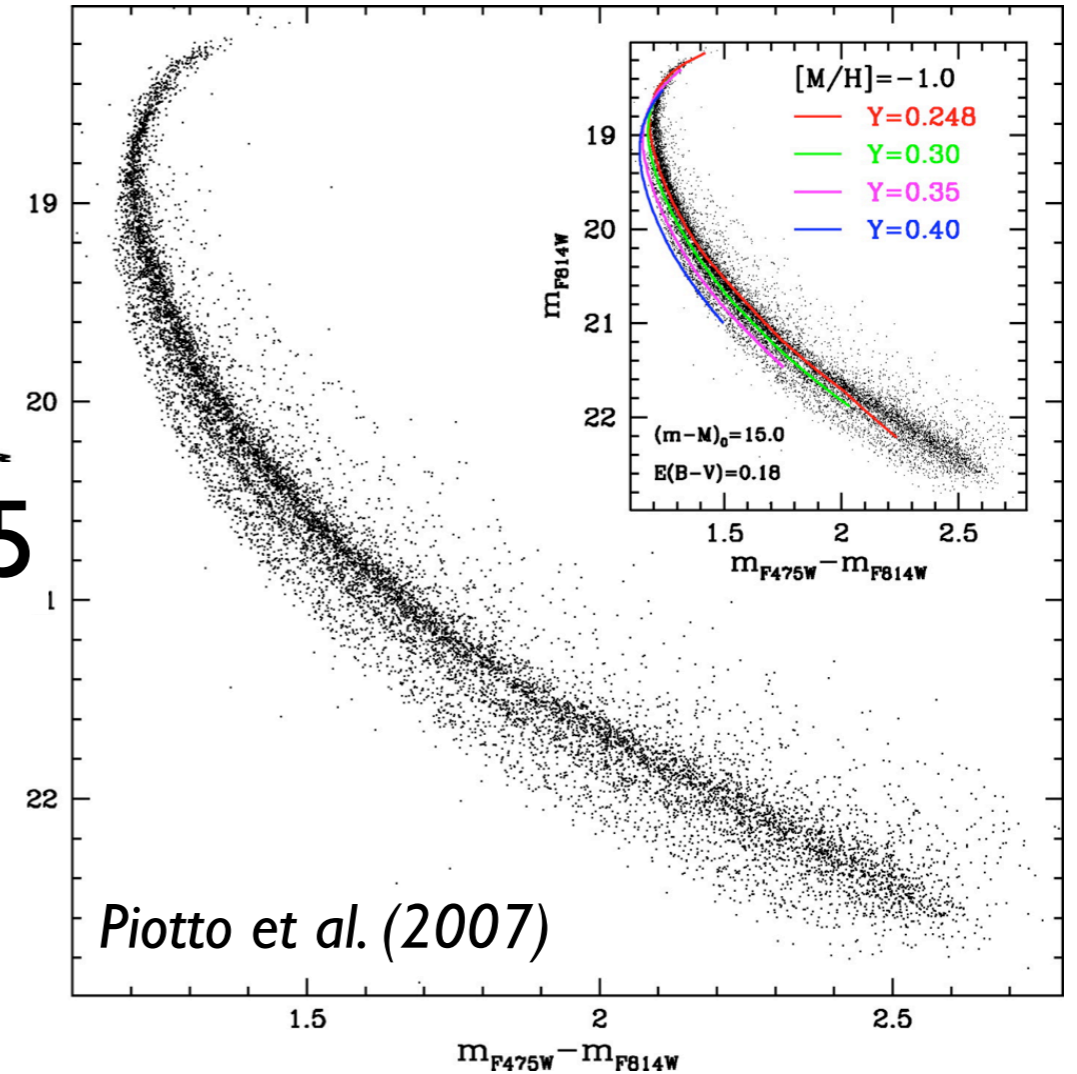
- **ω Cen** (Bedin et al. 2004)
- **NGC2808** (D'Antona et al. 2005; Piotto et al. 2007)

Catelan, Valcarce & Sweigart (2009)

MS: ω Cen / NGC2808



$M_{\text{Bol}} \sim 6.5$



rMS: $[\text{Fe}/\text{H}] = -1.6$ $Y_{\text{rMS}} \sim 0.25$

bMS: $[\text{Fe}/\text{H}] = -1.3$ $Y_{\text{bMS}} \sim 0.40$



$\Delta Y \sim 0.15$

(also Norris 2004; Sollima et al. 2007)

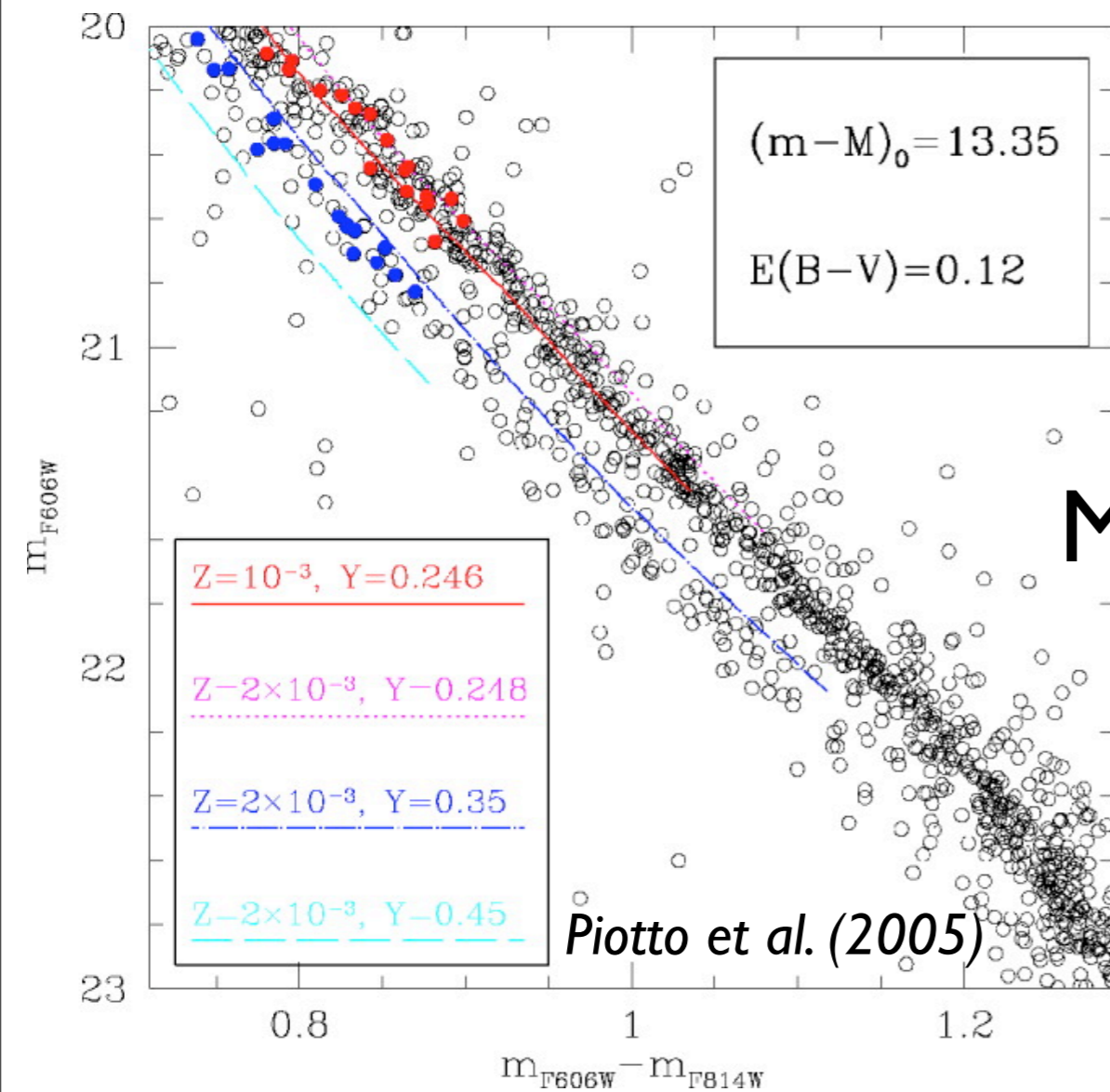
$[\text{Fe}/\text{H}] = -1.1 \pm 0.03$

rMS: $Y_{\text{rMS}} = 0.248$

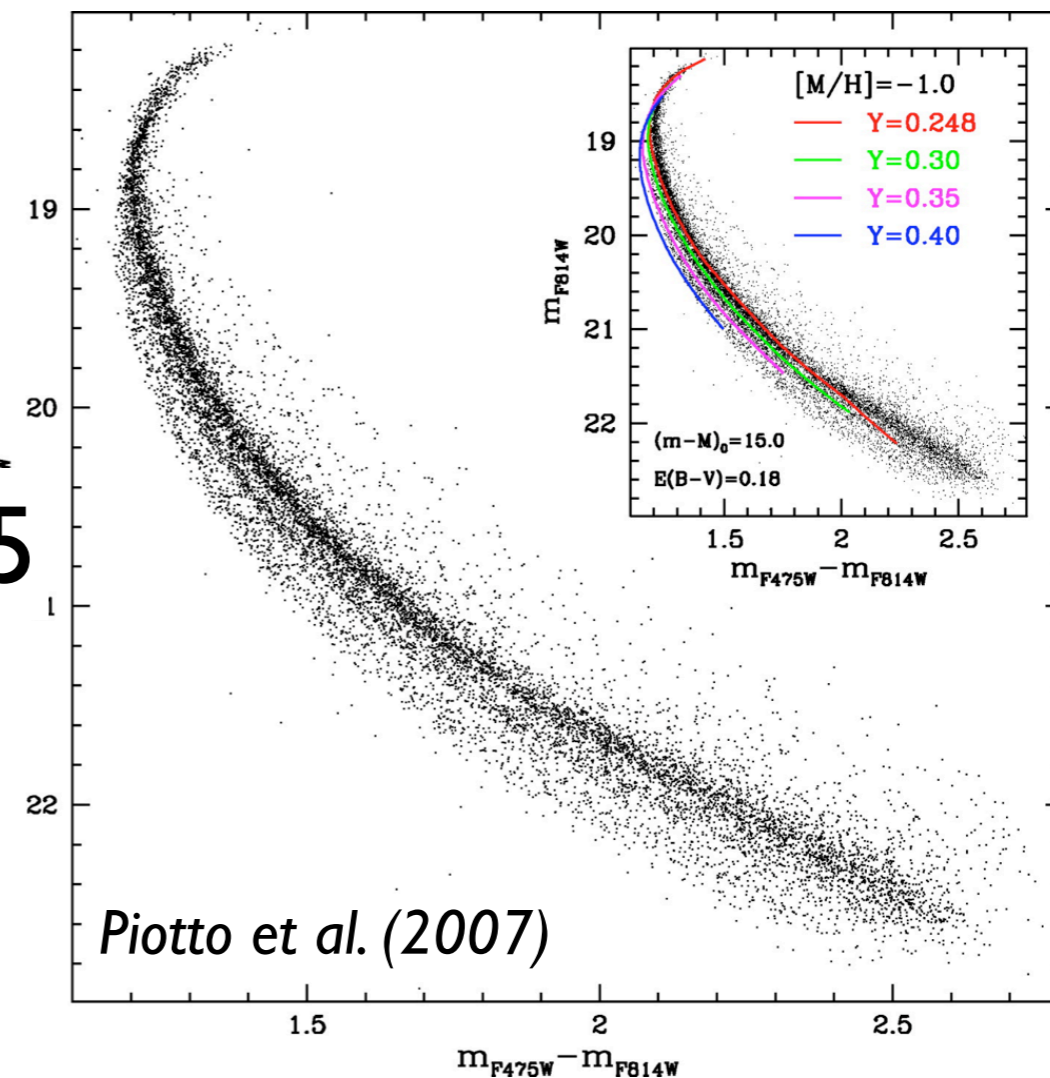
mMS: $Y_{\text{mMS}} \sim 0.30$ ($\Delta Y = 0.05$)

bMS: $Y_{\text{bMS}} \sim 0.37$ ($\Delta Y = 0.12$)

MS: ω Cen / NGC2808



$M_{\text{Bol}} \sim 6.5$



Huge helium enhancement difficult to explain for stellar nucleosynthesis and chemical evolution models (e.g. Prantzos & Charbonnel 2006; Maeder & Meynet 2006; Decressin et al. 2007a,b; Romano et al. 2007, 2009; Renzini 2008; Yi 2009)

MS broadening: homology relations

- They provide a simple analytical tool to study the broadening of the MS (straightforward to apply on field dwarfs & GCs) → it suits to be empirically calibrated

MS broadening: homology relations

• They provide a *simple analytical tool* to study the broadening of the MS (straightforward to apply on field dwarfs & GCs)

→ *it suits to be empirically calibrated*

• Given the location of a reference ZAMS with composition (Y_r, Z_r) , homology relations predict where a second ZAMS of composition (Y, Z) is located with respect to the first

$$\Delta \log T_{\text{eff}} = -P_1 \log \left[1 - \frac{\delta}{(0.6 + X_r)} (Z - Z_r) \right] - P_2 \log \left(\frac{P_3 Z + 1}{P_3 Z_r + 1} \right)$$

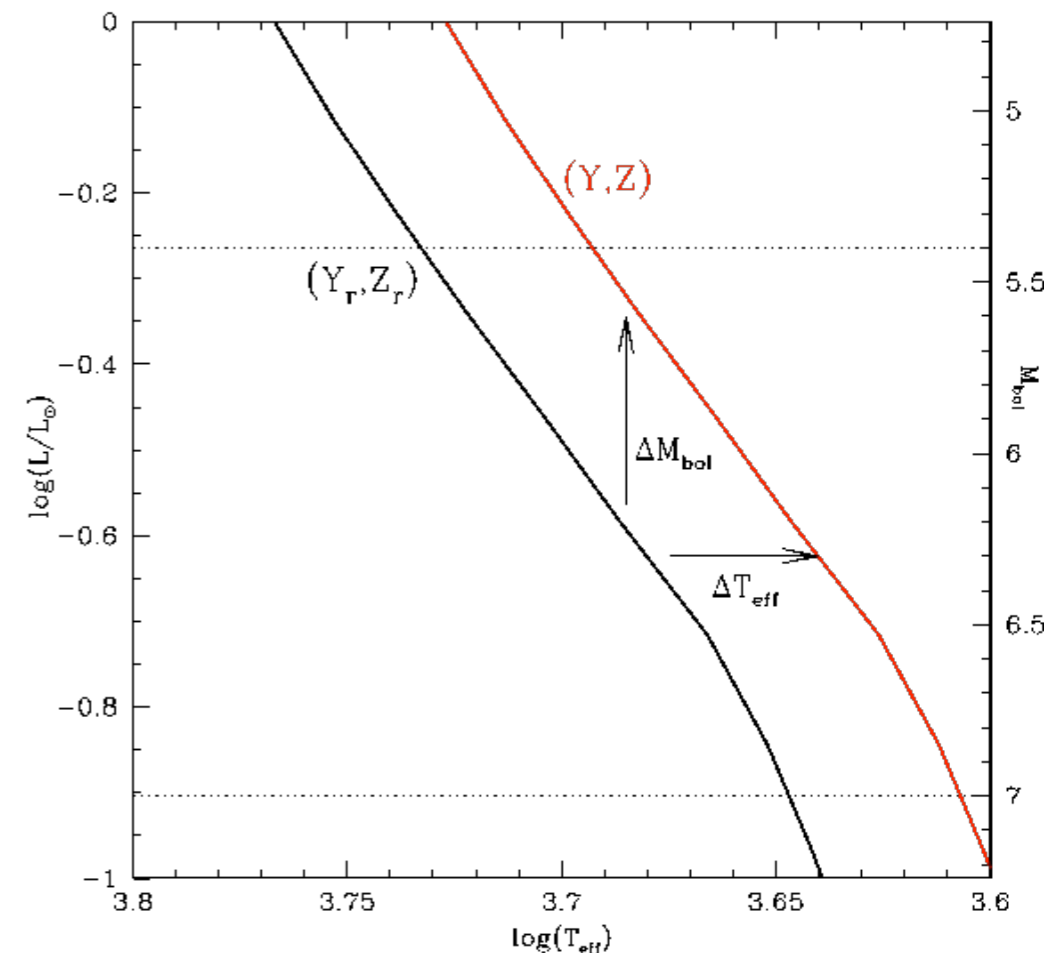
$$\delta = 1 + \frac{\Delta Y}{\Delta Z}$$

$$P_1 = 0.50 \pm 0.03$$

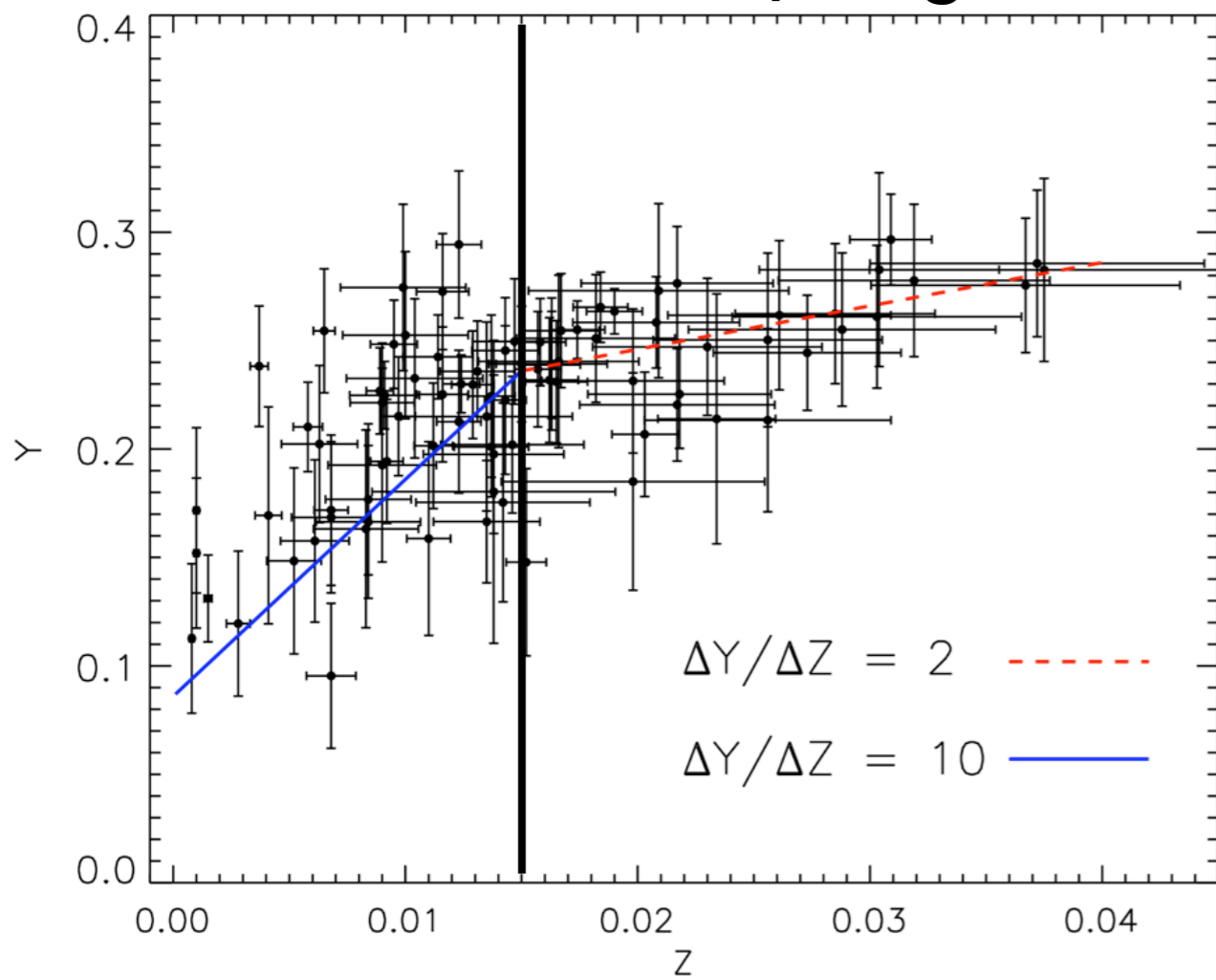
$$P_2 = 0.064 \pm 0.005$$

$$P_3 = 670 \pm 200$$

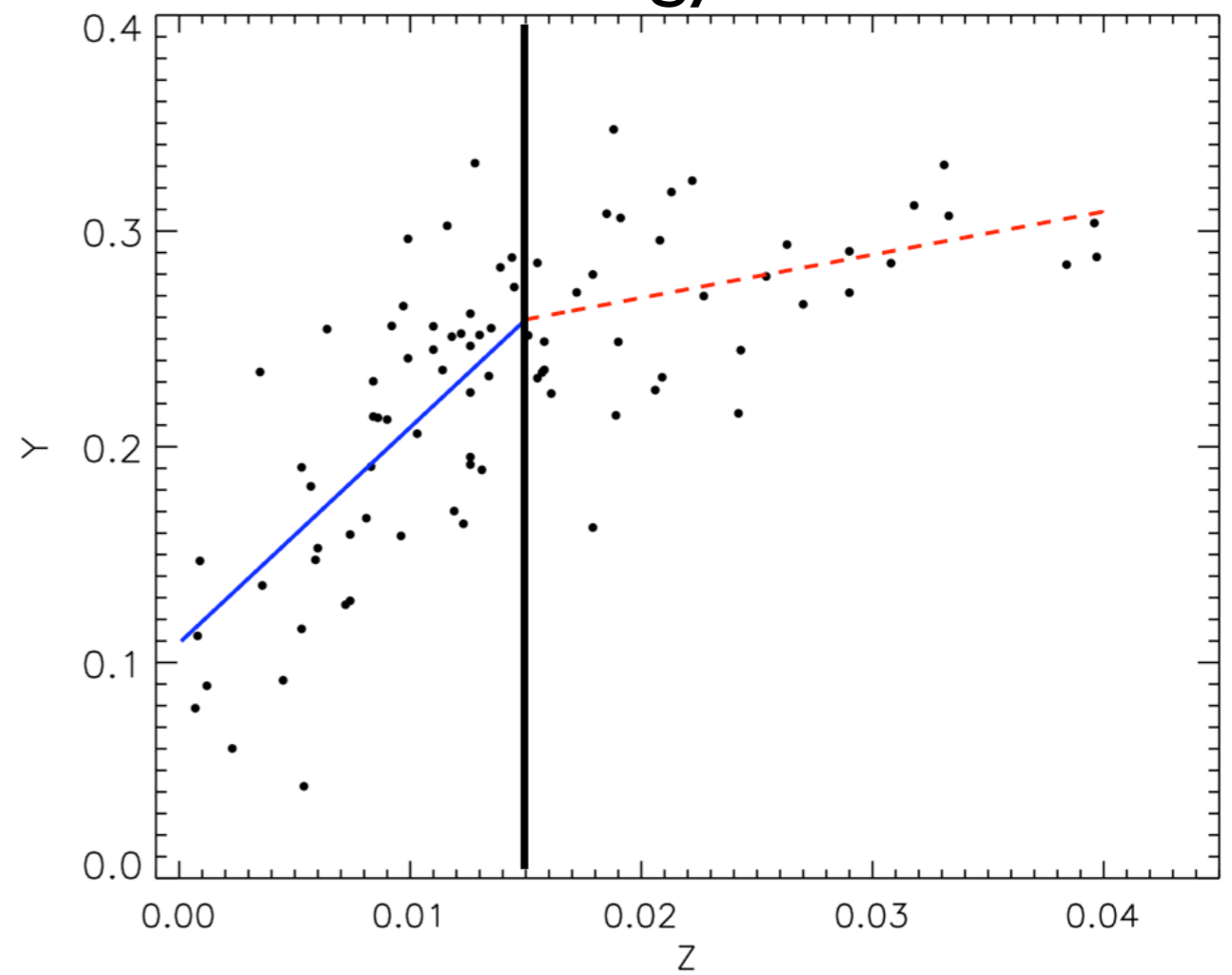
homology relations
calibrated on isochrones
(Padova)



isochrone fitting

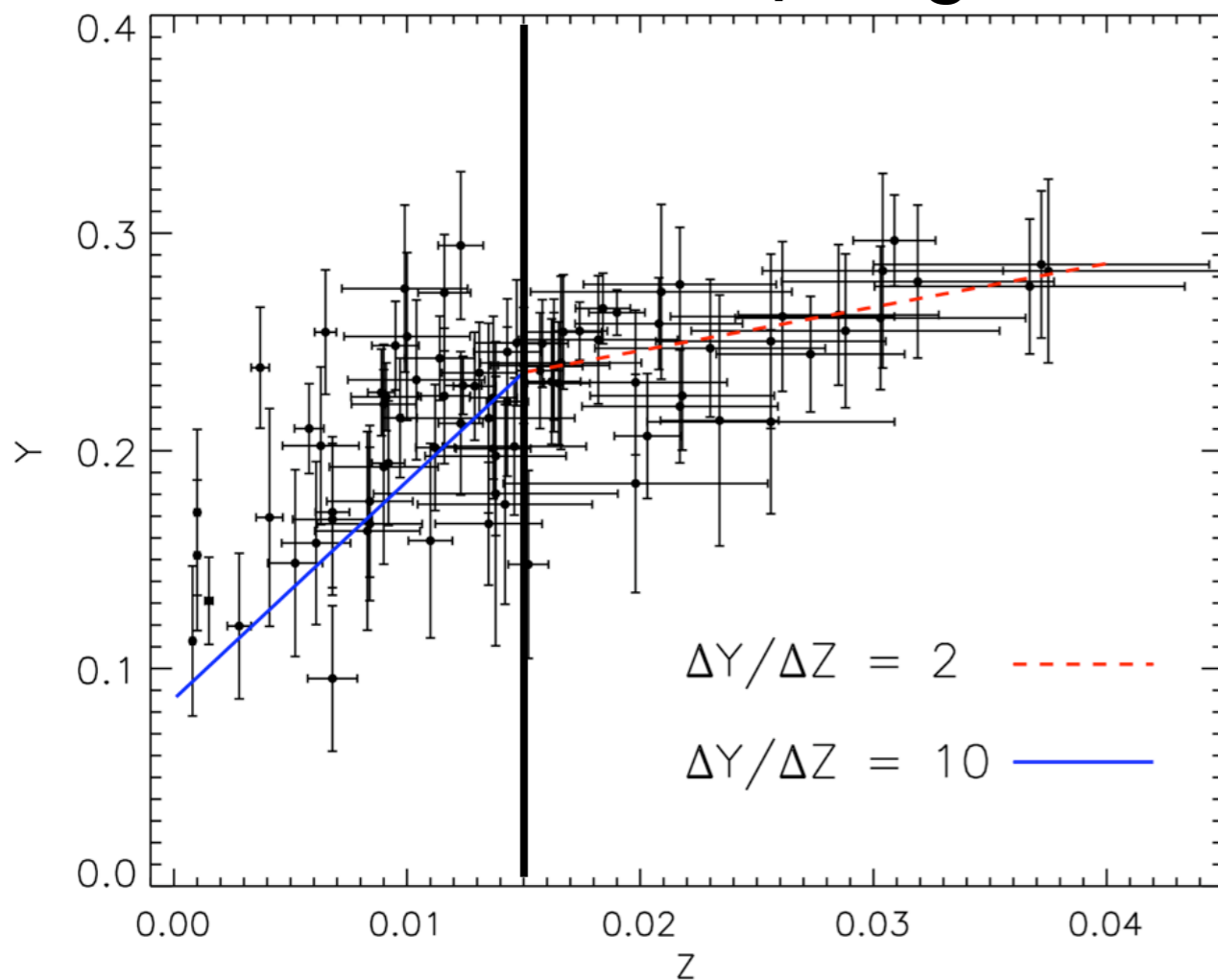


homology relations

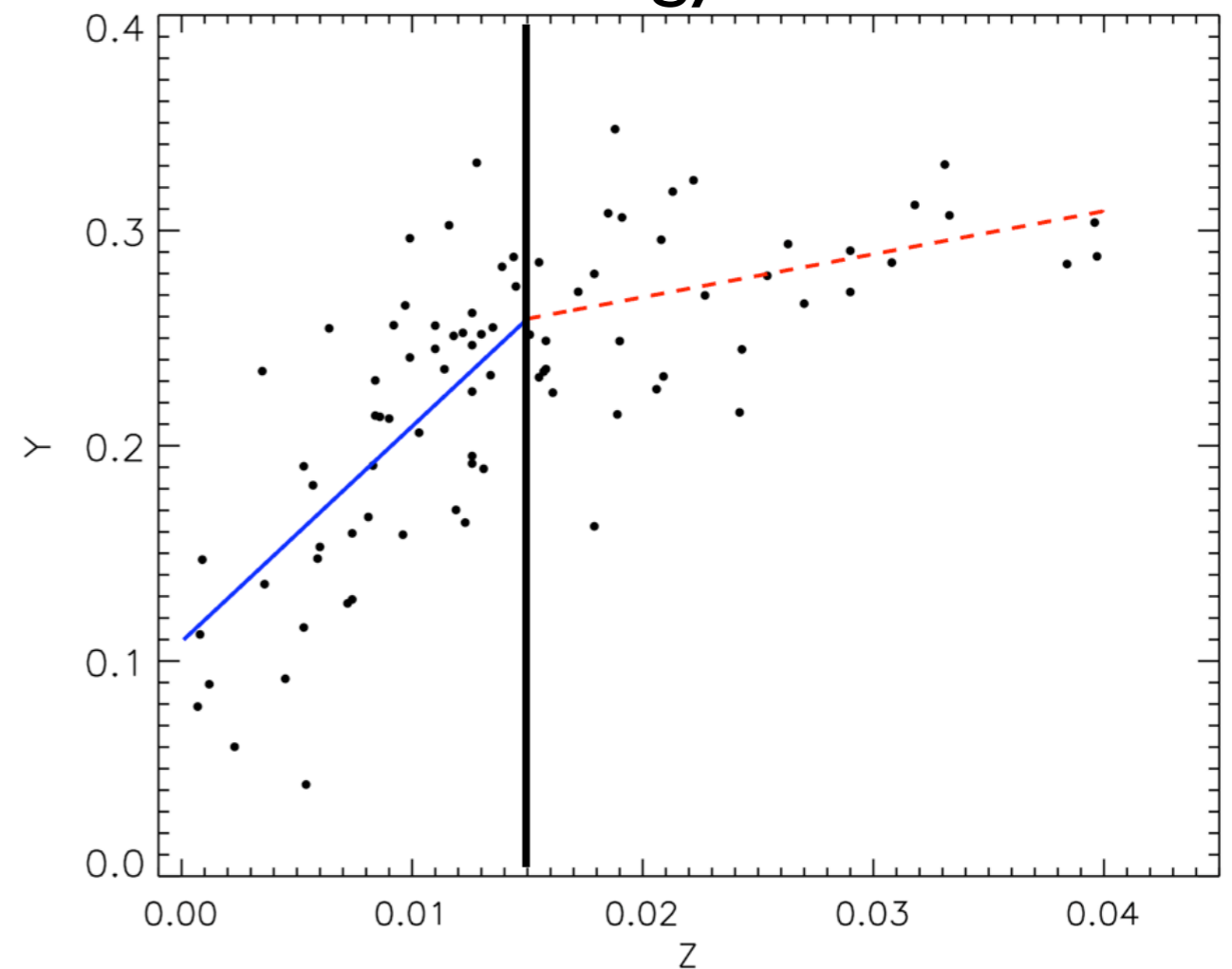


- **Homology relations describe very well** the behavior of **theoretical isochrones** as function of ΔY and $\Delta Y/\Delta Z$
- **For our sample of local stars**, homology relations return a similar $Y(Z)$ plot as isochrones

isochrone fitting

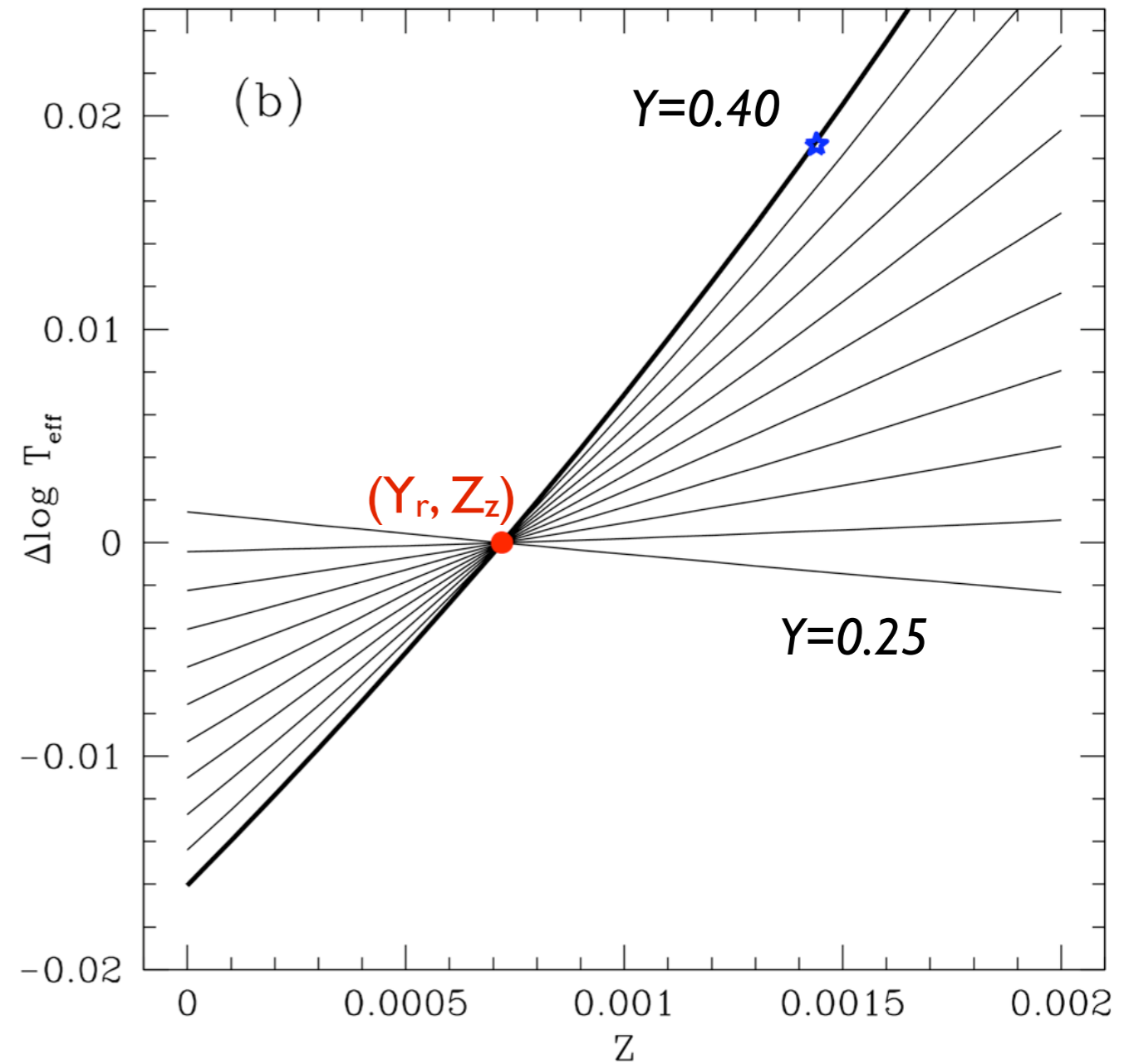
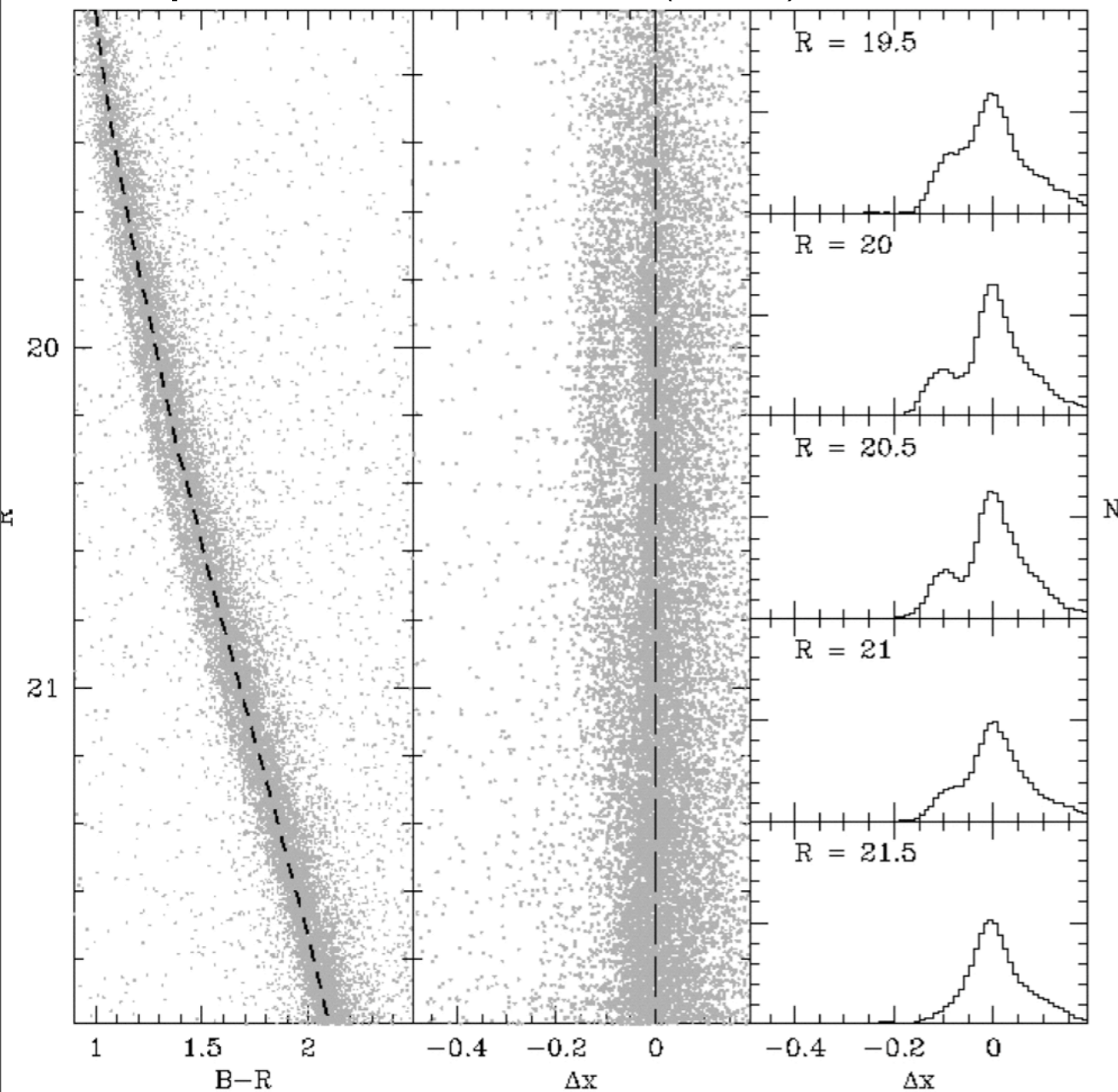


homology relations



Homology relations: ω Cen

Deep FORSI, Sollima et al. (2007)



Maximum MS split @ $R=20.5$ ($M_R \sim M_{\text{BoI}}=6.5$)

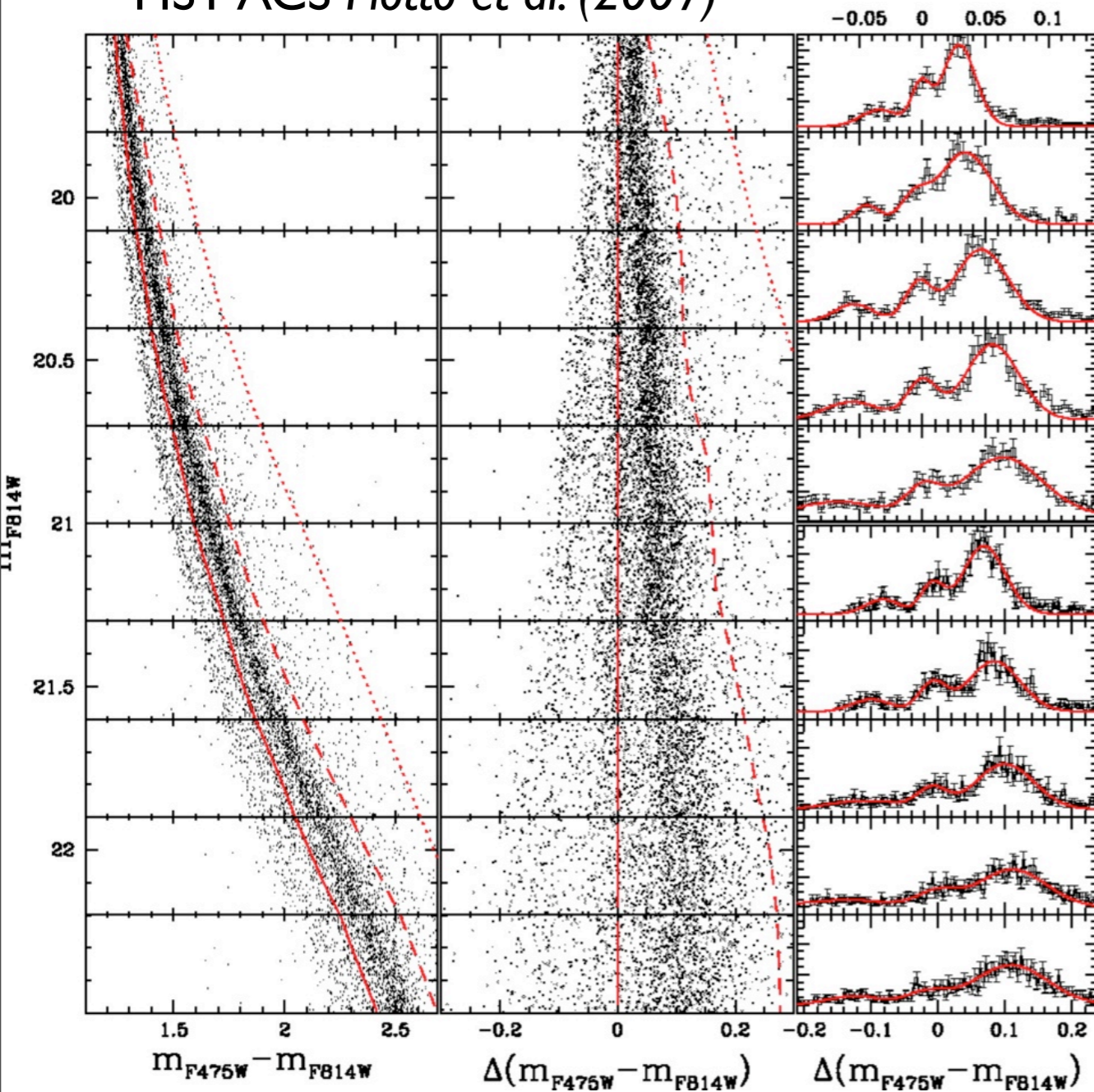
$(B-R) = 1.2, \Delta(B-R) = 0.1 \Rightarrow \Delta \log T_{\text{eff}} = 0.0185$

If $Y_{r\text{MS}} = 0.25 \Rightarrow Y_{b\text{MS}} = 0.40$

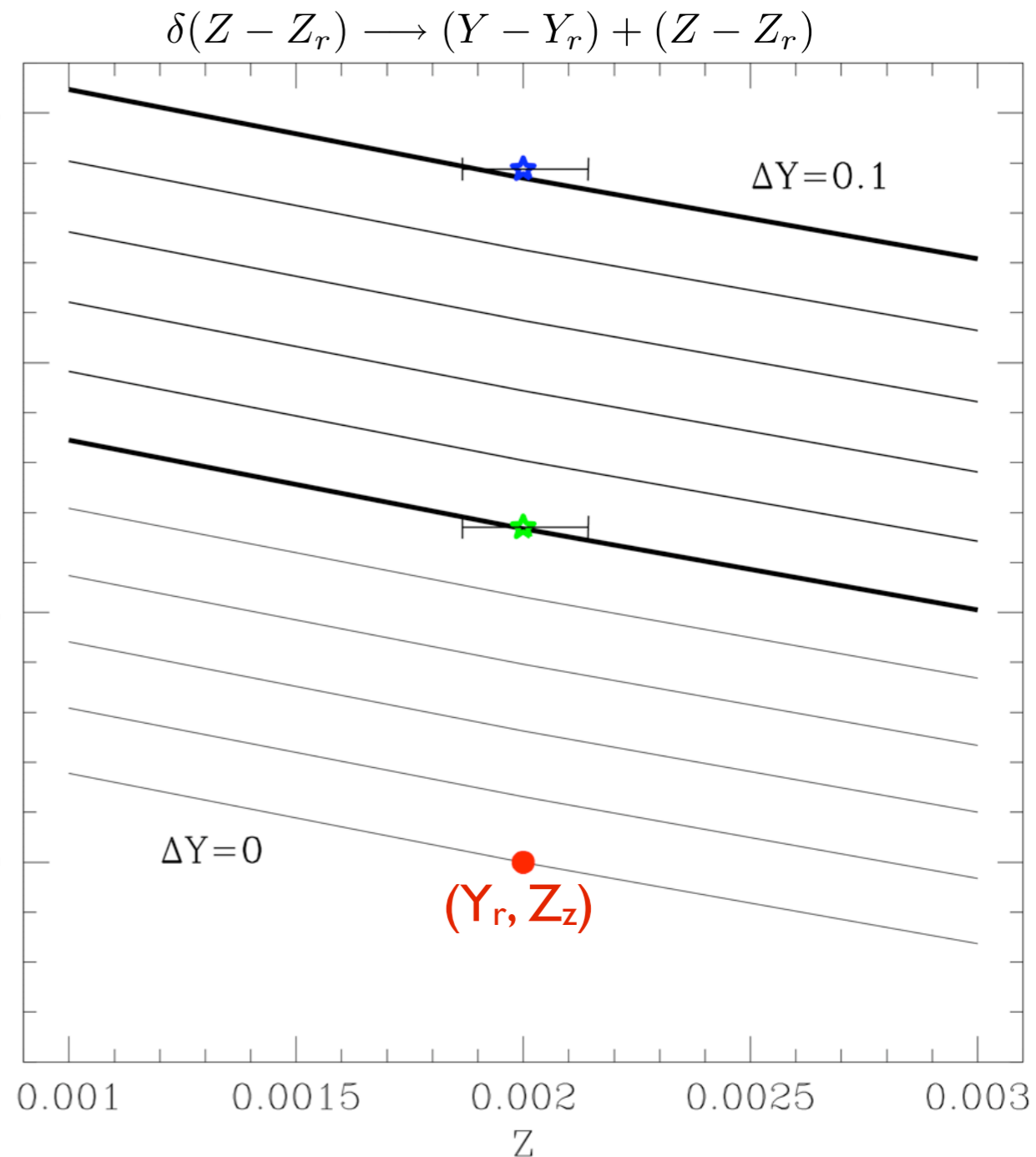
perfect agreement with isochrone analysis
(Norris 2004; Piotto et al. 2005; Sollima et al. 2007)

Homology relations: NGC2808

HST ACS *Piotto et al. (2007)*



Maximum MS split @ $M_{814W}=21.1$ ($M_{\text{bol}}=6.8$)
 $(F475W-F814W) = 1.72 \Rightarrow \Delta \log T_{\text{eff}} = 0.007$



$Y_{rMS}=0.25 \Rightarrow Y_{mMS}=0.30 \Rightarrow Y_{bMS}=0.35$

(excellent agreement with isochrone analysis
 $Y_{rMS} = 0.25 \Rightarrow Y_{mMS}=0.30 \Rightarrow Y_{bMS}=0.37$ *Piotto et al. 2007*)

Stellar models

agree

Homology

- nearby field dwarfs
- multiple MSs in GCs



Stellar models

$Y \ll Y_P$ at low Z
(certainly wrong)

agree

- nearby field dwarfs
- multiple MSs in GCs

Homology

Stellar models

$Y \ll Y_P$ at low Z
(certainly wrong)

agree

- nearby field dwarfs
- multiple MSs in GCs

Homology

extremely Y rich
sub-population
(possible revision ??)

Stellar models

$Y \ll Y_P$ at low Z
(certainly wrong)

agree

both stemming
from
model
inaccuracies?

- nearby field dwarfs
- multiple MSs in GCs

Homology

extremely Y rich
sub-population
(possible revision ??)

Homology relations: empirical calibration

- We **define empirical homology** relations, calibrated to fulfill BBN constraint at low Z ($\Rightarrow \Delta Y / \Delta Z = 2$)
- We will **use them to reassess** the multiple MSs in GCs

- molecular weight (50%)
- nuclear energy generation (40%)
- opacity (10%)



$$\Delta \log T_{\text{eff}} = -P_1 \log \left[1 - \frac{\delta}{(0.6 + X_r)} (Z - Z_r) \right] - P_2 \log \left(\frac{P_3 Z + 1}{P_3 Z_r + 1} \right)$$

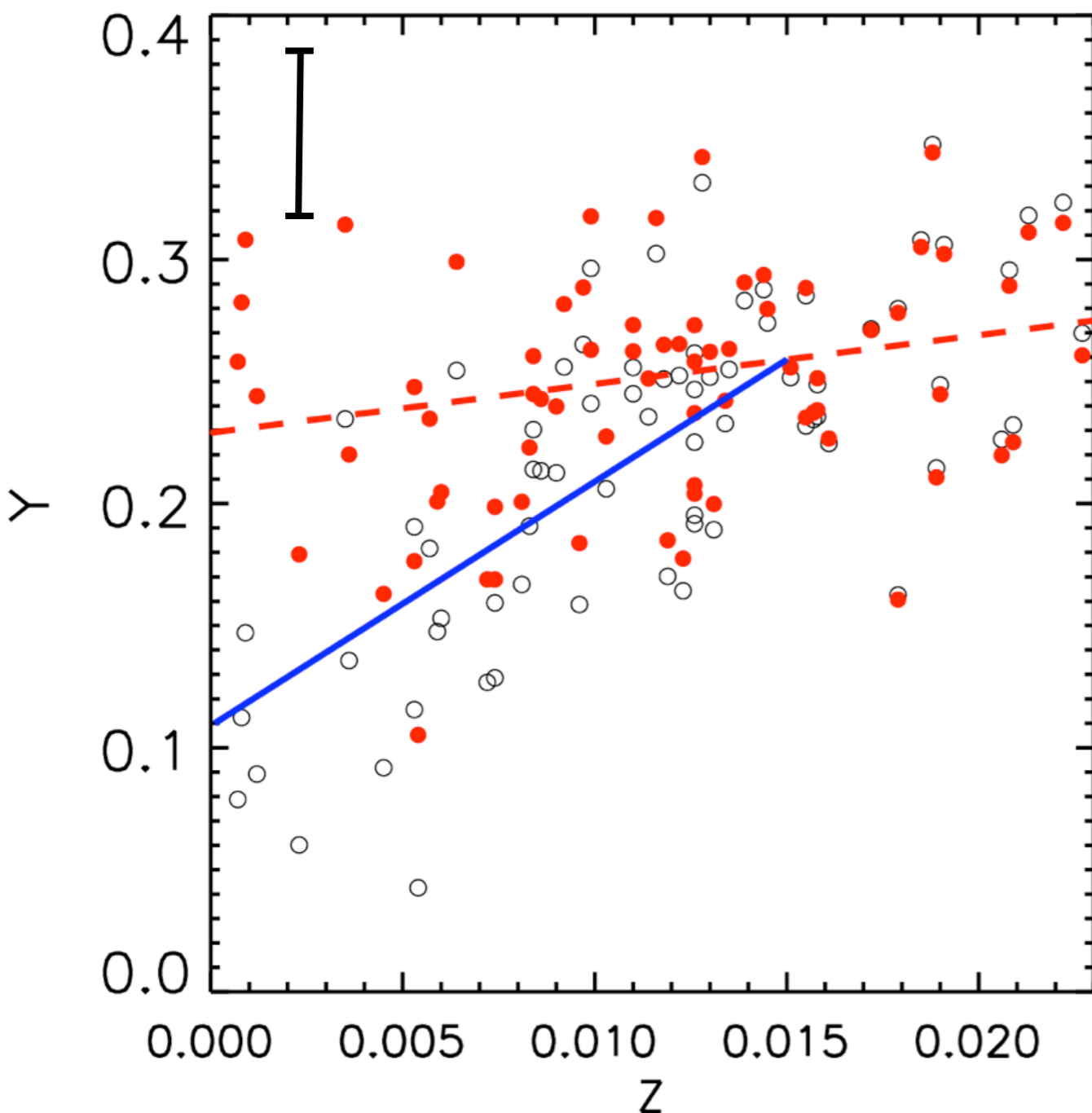
1st term: include the global dependence on ΔY

2nd term: (opacity) depends only on Z

2nd term:

$$\Delta \log T_{\text{eff}} = -0.50 \log \left[1 - \frac{\delta}{(0.6+X_r)} (Z - Z_r) \right] - 0.064 \log \left(\frac{670Z+1}{670Z_r+1} \right)$$

$$\Delta \log T_{\text{eff}} = -0.50 \log \left[1 - \frac{\delta}{(0.6+X_r)} (Z - Z_r) \right] - 0.064 \log \left(\frac{150Z+1}{150Z_r+1} \right)$$



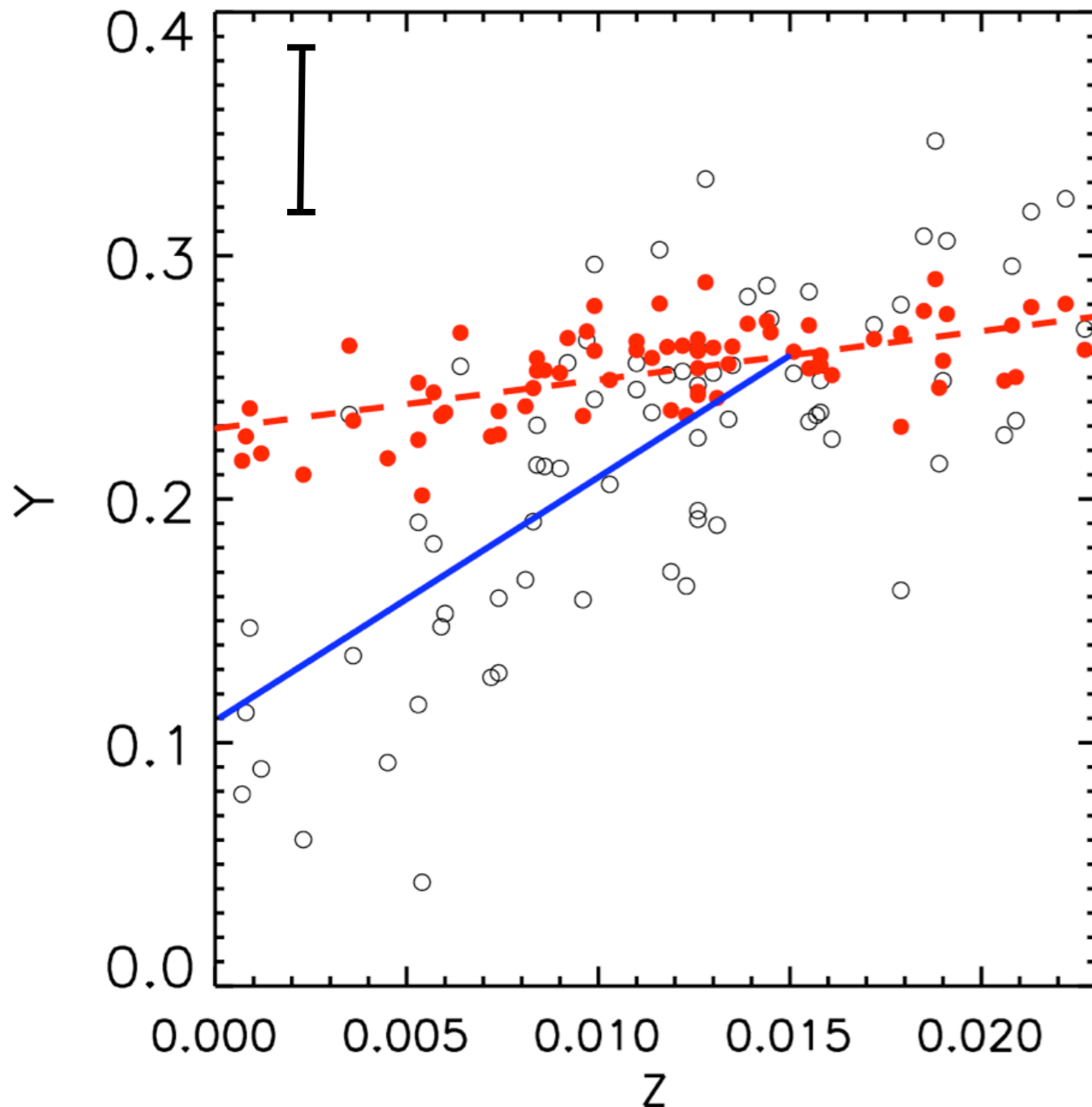
no effect on the GC multiple MS, since in GC the metallicity difference is minimal or vanishing

Huge scatter: problem with Y_P resolved on average, but considerable fraction of stars still below BBN

1st term:

$$\Delta \log T_{\text{eff}} = \frac{-0.50 \log \left[1 - \frac{\delta}{(0.6+X_r)} (Z - Z_r) \right]}{-0.064 \log \left(\frac{670Z+1}{670Z_r+1} \right)}$$

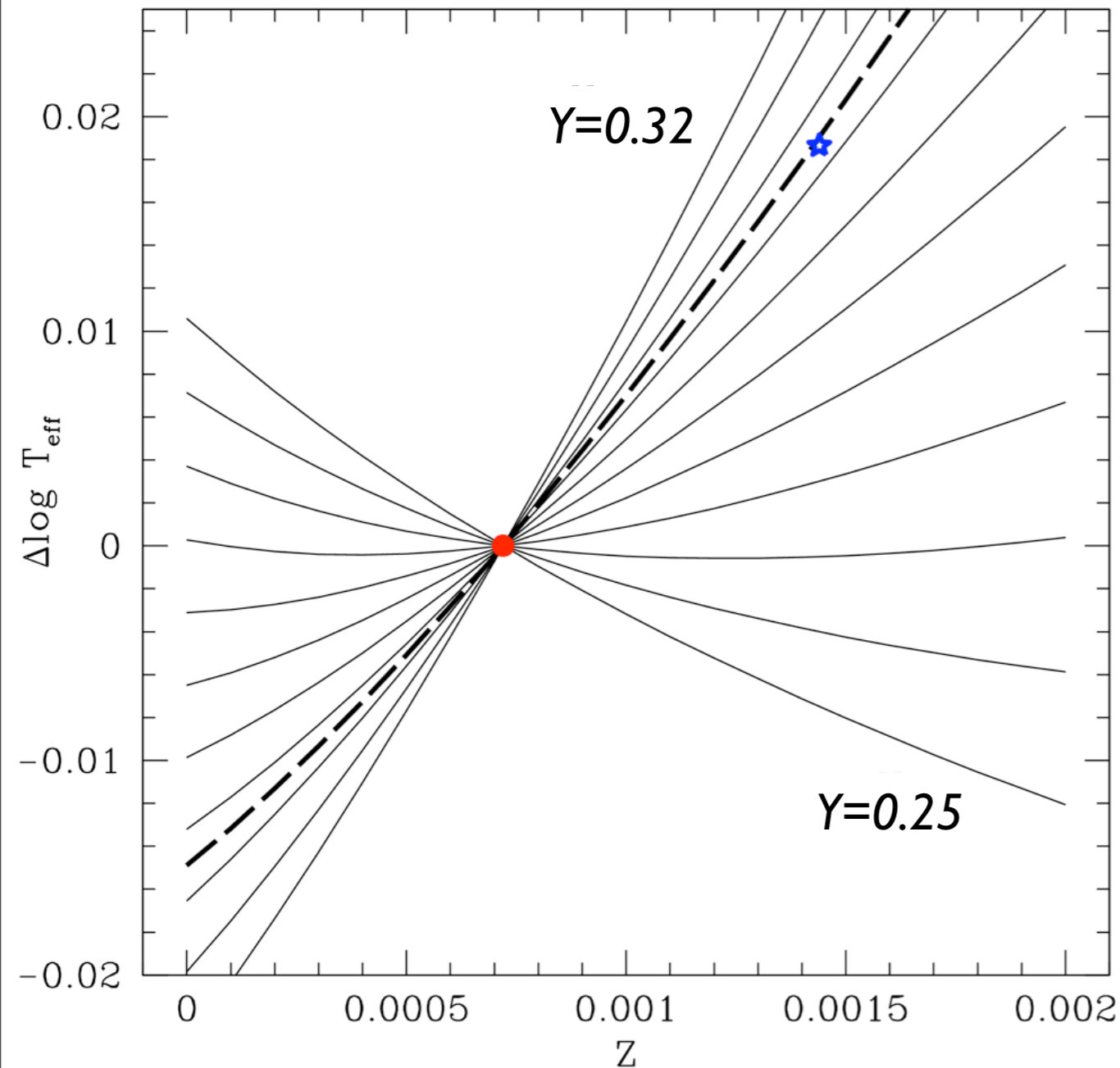
$$\Delta \log T_{\text{eff}} = \frac{-1.5 \log \left[1 - \frac{\delta}{(0.6+X_r)} (Z - Z_r) \right]}{-0.064 \log \left(\frac{670Z+1}{670Z_r+1} \right)}$$



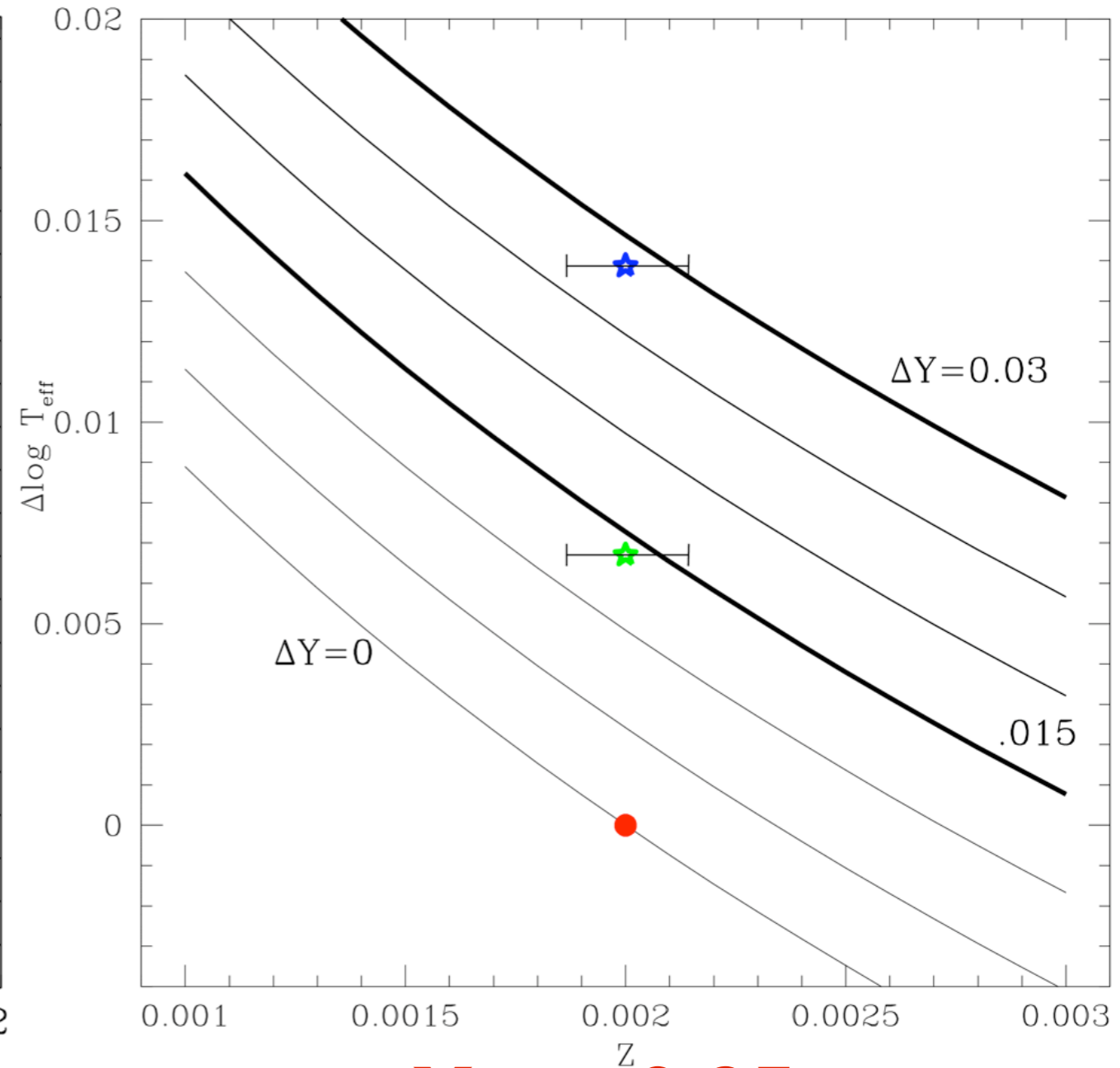
It is the preferred solution in terms of agreement with BBN

Consequences for Globular Clusters

ω Cen



NGC2808



If $Y_{\text{rMS}} = 0.25 \Rightarrow Y_{\text{bMS}} =$
0.30-0.32

$Y_{\text{rMS}} = 0.25 \Rightarrow$
 $Y_{\text{mMS}} = 0.26/0.27 \Rightarrow$
 $Y_{\text{bMS}} = 0.28/0.29$

Revision for Globular Clusters ?

- **Compelling** evidence for Y enhancement...
- **but intriguing** problems for low MS, low Z models!
- Our approach (homology) is just “toy model”.
- Go into the physics of stellar models (Y dependence more than Z): worth exploring.

Conclusions

- T_{eff} scale : precise & accurate, now.
- Low MS stellar models at low Z predict unacceptably low $Y \ll Y_{\text{P}}$.
- Our exercise highlights the possible connection with the puzzle of extreme helium enrichment in some GCs.
- If the fault lies in the response of stellar models to the helium fraction, the extreme helium population in GCs could be far less rich ($Y = 0.30/0.32$ vs $Y = 0.40$).